Semester: I

BMH1CC01 (Calculus, Geometry an Differential Equations) Total Lectures = 60

Unit- 1	Total Lectures =12	
CONTENTS		
Hyperbolic functions,	higher order derivatives, Leibnitz rule and its applications to problems of	
type $e^{ax+b} \sin x$, $e^{ax+b} \cos x$, $(ax+b)^n \sin x$, $(ax+b)^n \cos x$ concavity and inflection point		
envelopes, asymptotes, curve tracing in Cartesian coordinates, tracing in polar coordinate		
standard curves, L'Ho	spital's rule, applications in business, economics and life sciences.	
Lecture Serial	Topics of Discussion	
Lecture 1	Brief discussion on continuity, differentiability: Definition, examples and some results.	
Lecture 2	Hyperbolic functions, higher order derivatives.	
Lecture 3	Statement and proof of Leibnitz rule, examples.	
Lacture 4	Applications of Leibnitz rule to problems of type $e^{ax+b} \sin x$, $e^{ax+b} \cos x$,	
Lecture 4	$(ax + b)^n \sin x$, $(ax + b)^n \cos x$.	
Lecture 5	Concavity and inflection points. Examples.	
Lecture 6	Envelopes.	
Lecture 7	Asymptotes.	
Lecture 8	Curve tracing in Cartesian coordinates of standard curves.	
Lecture 9	Curve tracing in polar coordinates of standard curves.	
Lecture 10	L'Hospital's rule discussion.	
Lecture 11	Applications of derivatives in real world problems	
Lecture 12	Discussion of more problems.	
Unit- 2	Total Lectures =12	
	CONTENTS	
Reduction formulae,	derivations and illustrations of reduction formulae for the integration of	
sin nx, cos nx, tan nx	x, sec nx, $(\log x)^n$, $\sin^n x \sin^m x$, parametric equations, parametrizing a	
curve, arc length, arc length of parametric curves, area of surface of revolution .Techniques of		
sketching conics		
Lecture 13	General discussion on indefinite and definite integration and simple problems.	
Lecture 14	Simple concept on reduction formula. Simple problems.	
Lastura 15	Derivation and illustrations of reduction formulae for sin nx, cos nx and	
Lecture 15	applications.	
Looture 16	Derivation and illustrations of reduction formulae for sin nx, cos nx and	
Lecture 10	applications.	
Lecture 17	Derivation and illustrations of reduction formulae for tan nx, sec nx and	
	applications.	

Lecture 18	Derivation and illustrations of reduction formulae $(\log x)^n$, $\sin^n x \sin^m x$ and applications	
Lecture 19	Parametric equations, parametrizing a curve. Examples	
Lecture 20	Arc length, arc length of parametric curves and examples.	
Lecture 21	Area of surface of revolution.	
Lecture 22	More problems on area of surface of revolution	
Lecture 23	Techniques of sketching conics	
Lecture 24	General discussion and dealing with different kinds of problems on content	
Unit- 3	Total Lectures =12	
Reflection properties of classification of conics Central conicoids, parab Illustrations of graphing	CONTENTS of conics, translation and rotation of axes and second degree equations, using the discriminant, polar equations of conics. Spheres.Cylindrical surfaces. poloids, plane sections of conicoids, Generating lines, classification of quadrics, standard quadric surfaces like cone, ellipsoid.	
Lecture 25	Reflexion properties of conics, translation and rotation of axes with examples	
Lecture 26	Invariants and some problems	
Lecture 27	General equation of 2 nd degree: Classification and canonical forms of conics	
Lecture 28	Polar equation of conics : Equations of straight line, circle, conic	
Lecture 29	Polar equation of conics : Some problems	
Lecture 30	Spheres: Some basic properties and problems	
Lecture 31	Some more problems on sphere	
Lecture 32	Cylindrical surface and central conicoids, ellipsoid, hyperboloid and paraboloid	
Lecture 33	Generating lines: Properties and problems	
Lecture 34	General equation of 2 nd degree in three variables	
Lecture 35	Some more problems determining nature and canonical forms of conics in 3D	
Lecture 36	Illustration of graphing standard quadratic surfaces: Cone, cylinder, ellipsoid etc.	
Unit- 4	Total Lectures =12	
CONTENTS Linear Differential equations and mathematical models. General, particular, explicit, implicit and singular. Solutions of a differential equation. Exact differential equations and integrating factors, separable equations and equations reducible to this form, linear equation and Bernoulli equations, special integrating factors and transformations.		
Looture 27	Introduction of ODE, order, degree of differential equation, Example and	
Lecture 37	solution of ODE,	
Lecture 38	Particular, Complete, Explicit, Implicit, Singuler solution of ODE with example	
Lecture 39	Family of curves represented by ODE, Geometrical interpretation	
Lecture 40	Exact equation, Necessary and Sufficient condition for exactness, examples	

Lecture 41	Integrating factor(IF) of first order ODE, examples	
Lecture 42	If $M dx + N dy = 0$ has one and only one solution then number of IF is	
	infinite. Examples	
Lecture 43	Equation solvable by separation of variable, substitution, homogeneous	
	equation	
Lecture 44	Rules to find an integrating factor, Examples	
Lecture 45	Special Integrating Factors and Transformations	
Lecture 46	Solution of first order Linear equation, Equation reducible to linear form, Examples	
Lecture 47	Introduction of first order higher degree equations solvable for x, y, p, Clairaut's Equation, Examples	
Lastura 19	Singular solution, P-discriminant, C-discriminant, Envelope, Nodal	
Lecture 48	locus, Cuspidal locus, Examples	
Graphical Demonstra	ation (Teaching Aid) Total Lectures =12	
	CONTENTS	
 Plotting of graphs of function e^{ax+b}, log(ax + b), 1/(ax + b), sin(ax + b), cos(ax + b), ax + b and to illustrate the effect of a and b on the graph Plotting the graphs of polynomial of degree 4 and 5, the derivative graph, the second derivative graph and comparing them. Sketching parametric curves (Eq. Trochoid eveloid enjoyaloids hypecycloid) 		
4. Obtaining surface of	f revolution of curves.	
5. Tracing of conics in Cartesian coordinates/polar coordinates.		
6. Sketching ellipsoid, hyperboloid of one and two sheets, elliptic cone, elliptic, paraboloid, and hyperbolic paraboloid using Cartesian coordinates		
Lecture 49	Plotting of graphs of e^{ax+b} , $\log(ax+b)$, $\frac{1}{ax+b}$	
Lecture 50	Plotting of graphs of $\sin(ax+b)$, $\cos(ax+b)$, $ ax+b $	
Lecture 51	Plotting the graph of polynomials of degree 4 and 5, the derivative graph, the second derivative graph and comparing them	
Lecture 52	Sketching parametric curves (Eg. Trochoid, cycloid).	
Lecture 53	Sketching parametric curves (Eg. epicycloids, hypocycloid).	
Lecture 54	Obtaining surface of revolution of curves	
Lecture 55	Obtaining surface of revolution of curves.	
Lecture 56	Tracing of conics in Cartesian coordinates	
Lecture 57	Tracing of conics in polar coordinates.	
Lecture 58	Sketching ellipsoid, hyperboloid of one and two sheets using Cartesian coordinates	
Lecture 59	Sketching elliptic cone using Cartesian coordinates	
Lecture 60	Sketching elliptic paraboloid and hyperbolic paraboloid using Cartesian coordinates.	

Semester: I BMH1CC02 (Algebra) Total Lectures = 60

Unit- 1	Total Lectures =17	
	CONTENTS	
Polar representation of complex numbers, n-th roots of unity, De Moivre's theorem for rational		
indices and its applications.		
Theory of equations: Relation between roots and coefficients, Transformation of equation,		
Descartes rule of sign	s, Cubic and biquadratic equations. Reciprocal equation, separation of the	
roots of equations, Stru	um,s theorem.	
Inequality: The inequa	lity involving AM≥GM≥HM, Cauchy-Schwartz inequality.	
Lecture Serial	Topics of Discussion	
Lastura 1	Introduction of Complex Numbers, Geometrical representation of	
Lecture 1	complex numbers, Examples	
Lastura 2	Modulus, Argument of complex numbers, Polar representation of	
Lecture 2	complex numbers, Examples	
Lecture 3	De Moivre's theorem for rational indices and its applications.	
Lecture 4	Roots of complex number, n-th roots of unity	
Lecture 5	Various problem and solution of complex number	
Lactura 6	Algebraic Equation, Fundamental equation of Classical Algebra,	
Lecture 0	Examples	
Lecture 7	Rolle's Theorem to find position of root, Multiple root, Examples	
Lecture 8	Descartes rule of signs, Examples	
Lecture 9	Relation between roots and coefficients, Symmetric functions, Examples	
Looturo 10	Transformation of equation, Cubic and biquadratic equations and its	
Lecture 10	solution, Examples	
Lecture 11	Reciprocal equation, Examples and its solution	
Lecture 12	Separation of the roots of equations	
Lecture 13	Location of roots, Strum, s theorem	
Lecture 14	Introduction about Inequality, Examples	
Lecture 15	Cauchy-Schwartz inequality, Problem and solution	
Lecture 16	Arithmetic, Geometric and Harmonic Means, Examples	
Lecture 17	$AM \ge GM \ge HM$, problems using these inequality	

Unit- 2	Total Lectures =15		
	CONTENTS		
Equivalence relations and partitions, Functions, Composition of functions, Invertible functions,			
One to one correspondence and cardinality of a set. Well-ordering property of positive integers,			
Division algorithm, Divisibility and Euclidean algorithm. Congruence relation between integers.			
Principles of Mathema	tical Induction, statement of Fundamental Theorem of Arithmetic.		
Lecture 18	Equivalence relation with examples and equivalence class		
Lecture 19	Partition and relation between equivalence relation and partition		
Lecture 20	Bijective mapping and invertible mappings with examples		
Lecture 21	Composition of functions and some problems		
Lecture 22	One to one correspondence and cardinality of a set		
Lecture 23	Well ordering property of +ve integers and Division algorithm		
Lecture 24	Some theorems and problems		
Lecture 25	Divisibility, gcd of two integers and some theorems on gcd		
Lecture 26	Euclidean algorithm and some problems		
Lecture 27	Congruence relation on N with examples		
Lecture 28	Some theorems on congruence		
Lecture 29	Some problems on congruence		
Lecture 30	Principle of mathematical inductions		
Lecture 31	Some problems on mathematical induction		
Lecture 32	Fundamental theorem of Arithmetic and related problems		
Unit- 3	Total Lectures =10		
	CONTENTS		
Systems of linear equations, row reduction and echelon forms, vector equations, the matrix			
equation Ax=b, solu	equation Ax=b, solution sets of linear systems, applications of linear systems, linear		
independence.			
Lecture 33	Introduction to systems of linear equations. m equations with n variables.		
	Row reduction and echelon forms.		
Lecture 34	What about existence of solution for system equations? Augmented		
	matrix. The matrix equation Ax=b.		
Lecture 35	To understand consistent and inconsistent system equations. Examples of		
	consistent and inconsistent system equations.		
Lecture 36	System of non-homogeneous and homogenous equations. Examples.		
Lecture 37	Important theorems and results on existence of solutions for a system of		
	homogeneous equations.		
Lecture 38	Definition of vector space over a field.		
2000000000	Solutions of a homogeneous system form a vector space.		
Lecture 39	On existence of solutions of a non-homogeneous system.		
Lecture 40	Few results and problems on non-homogeneous system.		
Lecture 41	Applications of linear systems, linear independence.		
Lecture 42	Dealing with more problems from the content.		

Unit- 4	Total Lectures =18	
	CONTENTS	
Introduction to linear transformations, matrix of a linear transformation, inverse of a matrix,		
characterizations of invertible matrices. Vector Spaces of R ⁿ , Subspaces of R ⁿ , dimension of		
subspaces of R ⁿ , rank	of a matrix, Eigen values, Eigen Vectors and Characteristic Equation of a	
matrix. Cayley-Hamilton theorem and its use in finding the inverse of a matrix.		
Lecture 43	Brief discussion on Real and Complex field. Binary composition, External composition. Definition of Vector space <i>V</i> over a field <i>F</i> . Few examples of vector spaces.	
Lecture 44	Definition of Vector space \mathbf{R}^n . Examples, some important properties of vector space, few useful theorems.	
Lecture 45	Definition: Subspace of a vector space \mathbf{R}^{n} , Examples, Important results on subspace.	
Lecture 46	Linear combination and linear independence of vectors. Discussion with various problems.	
Lecture 47	Brief discussion on basis, dimension, finite dimensional vector spaces etc. Dimension of subspaces of \mathbf{R}^{n} .	
Lecture 48	Introduction to Linear transformations. Definition of a linear transformation, examples.	
Lecture 49	Matrix of a linear transformation.	
Lecture 50	Problems on matrix of a linear transformation.	
Lecture 51	Inverse of a matrix, characterizations of invertible matrices.	
Lecture 52	Problems on inverse of a matrix and discussion.	
Lecture 53	Matrix polynomials. Characteristic Equation of a matrix.	
Lecture 54	Definition of eigen values and eigen vectors. To find the eigen value and the corresponding eigen vectors for a given matrix	
Lecture 55	Multiplicity: Algebraic and Geometric multiplicity, Important theorems and results.	
Lecture 56	Theorem on existence and type of eigen values for a real symmetric and skew-symmetric matrix.	
Lecture 57 More theorems on eigen value and eigen vectors. Some standard problems on eigen value and eigen vectors		
Lecture 58	Cayley-Hamilton theorem. Verification of Cayley-Hamilton theorem.	
Lecture 59	Use of Cayley-Hamilton theorem in finding the inverse of a matrix.	
Lecture 60	Dealing with more problems from the content.	

Semester : II Paper : BMH2CC03 (Real Analysis) Total Lecture Hours = 60

Unit 1 (Real Number System)Total Lectures =20		
Lecture Serial	Topics of Discussion	
Lecture 1	Review of algebraic and order properties of \mathbb{R}	
Lecture 2	\mathcal{E} -neighbourhood of a point in \mathbb{R}	
Lecture 3	Some theorems and problems on neighbourhood of a point in \mathbb{R}	
Lecture 4	Idea of countable sets, some examples and theorems	
Lecture 5	Example of uncountable sets and uncountability of \mathbb{R}	
Lecture 6	Bounded above, Bounded below, Bounded sets and their examples	
Lecture 7	Supremum, infimum of a subset of \mathbb{R} with examples	
Lecture 8	Completeness property of \mathbb{R} and it's equivalent properties	
Lecture 9	Archimedean property of \mathbb{R} and it's examples	
Lecture 10	Density property of rational and irrational numbers	
Lecture 11	Open intervals, closed intervals and their properties	
Lecture 12	Limit point and isolated point of a set in \mathbb{R} and related theorems and problems	
Lecture 13	Interior point of a set in \mathbb{R} and concept of open sets with examples	
Lecture 14	Theorems and problems related to open sets	
Lecture 15	Introduction of closed sets and some examples of closed sets	
Lecture 16	Theorems and problems on closed sets	
Lecture 17	Derived set of a set in \mathbb{R} and its properties	
Lecture 18	Bolzano-Weierstrass property and it's verification with some examples	
Lecture 19	Open cover of a set in \mathbb{R} and concept of compactness in \mathbb{R}	
Lecture 20	Heine-Borel theorem and some problems related to compactness.	
Unit 2 (Sequence of real numbers)Total lectures =15		
Lecture Serial	Topics of Discussion	
Lecture 21	Introduction of sequence of real numbers with various examples	
Lecture 22	Concept of bounded above, bounded below and bounded sequence with examples	
Lecture 23	Definition of convergent sequence and limit of a sequence with	
	examples	
Lecture 24	Relation between bounded and convergent sequences	
Lecture 25	Limit superior and limit inferior, theorems and problems	
Lecture 26	Limit theorems : Addition, subtraction and multiplication by a scalar	
	with examples and counter examples	
Lecture 27	Limit theorems: Multiplication, Division, Modulus with examples and counter examples	
Lecture 28	Introduction of monotone sequences with examples	
Lecture 29	Monotone convergence theorems and its applications	
Lecture 30	Some more problems with monotone convergence theorems	
Lecture 31	Introduction of sub sequence and divergence criterion	
Lecture 32	Some problems with sub sequence theorem and Bolzano-Weierstrass	

	property for sequence		
Lecture 33	Introduction of Cauchy sequence with examples		
Lecture 34	The relation between convergence and Cauchy sequences and Cauchy		
	criterion for convergence		
Lecture 35	Some problems of determining convergence or divergence of a		
	sequence with Cauchy criterion		
Unit 3 (Series of	real numbers)Total lectures =15		
Lecture Serial	Topics of Discussion		
Lecture 36	Introduction of infinite series with examples and sequence of partial		
	sums of a series		
Lecture 37	Convergence and Divergence of a series with examples		
Lecture 38	Cauchy criterion for convergence of an infinite series with applications.		
Lecture 39	Comparison test and limit comparison test with applications		
Lecture 40	Some more problems with Comparison tests		
Lecture 41	D' Alembert's ratio test with applications		
Lecture 42	Raabe's test with applications		
Lecture 43	D' Morgan and Bertrand's test with applications		
Lecture 44	Cauchy's integral test with applications		
Lecture 45	Cauchy's n^{th} root test with applications		
Lecture 46	Gauss' test with applications		
Lecture 47	Some miscellaneous problems		
Lecture 48	Alternating series and Leibnitz's test		
Lecture 49	Some applications of Leibnitz's test		
Lecture 50	Absolute and conditional convergence with some examples		
Graphical Demo	Graphical Demonstration (Teaching Aid)Total lectures =10		
Lecture Serial	Topics of Discussion		
Lecture 51	Plotting of recursive sequences		
Lecture 52	Study the convergence of sequences through plotting		
Lecture 53	Some more problems of convergence or divergence sequences through		
	plotting		
Lecture 54	Verify Bolzano-Weierstrass' theorem through plotting of sequence and		
	hence identify convergent subsequences from the plot		
Lecture 55	Some more problems related Bolzano-Weierstrass' theorem through		
	plotting		
Lecture 56	Study the convergence or divergence of infinite series by plotting their		
	sequences of partial sums		
Lecture 57	Some more problems of convergence or divergence of infinite series by		
.	plotting		
Lecture 58	Cauchy's root test by plotting nth roots		
Lecture 59	Ratio test by plotting the ratio of nth and (n+1)th terms		
Lecture 60	Some more problems of ratio test by plotting		

Semester: II

Paper : BMH2CC04 (Differential Equation and Vector Calculus) Total Lectures = 60

Unit 1 (Ordinar	y Differential Equation)	Total Lectures =20
Lecture Serial	Topics of Discussion	
Lecture 1	Introduction of Lipschitz condition with various example	
Lecture 2	Picard's existence and uniqueness Theorem with some example	
Lecture 3	Initial Value Problems which has unique solution,	, many solution or no
	solution	
Lecture 4	Linear ODE of nth order homogeneous and non-h	omogeneous,
	Auxiliary Equation	
Lecture 5	General solution of homogeneous ODE equation	of second order with
	constant coefficients related to roots of the Auxili	ary Equation
Lecture 6	Various problem about general solution of homog	eneous ODE with
	constant coefficient	
Lecture 7	Principle of super position for homogeneous equa	tion
Lecture 8	Definition of Wronskian of n functions, Linearly of	dependent and
	Linearly independent of functions and some exam	ple
Lecture 9	Theorem, properties and applications of Wronskian	
Lecture 10	Particular Integral of non-homogeneous, higher of	rder ODE with
	constant coefficients, some properties	
Lecture 11	Problem solution about Particular Integral of high	er order ODE with
	constant coefficients	
Lecture 12	Complementary Function of non-homogeneous O	DE, General solution
	of non-homogeneous higher order ODE with cons	stant coefficients
Lecture 13	Problem solution about of non-homogeneous OD	E with constant
	coefficients	
Lecture 14	Introduction of Euler's Homogeneous Linear Equ	ation or Cauchy-Euler
	equation	
Lecture 15	Solution of Homogeneous Linear Equation using	Cauchy-Euler Method
Lecture 16	Introduction for Method of Undetermined Coeffic	eient to solve non-
	homogeneous ODE with constant coefficients	
Lecture 17	Solution of non-homogeneous ODE using the Me	thod of Undetermined
	Coefficient	
Lecture 18	Introduction forMethod of Variation of Parameter	sto solve non-
	homogeneous ODE	
Lecture 19	Solution of non-homogeneous ODE using the Me	thod of Variation of
	Parameters	
Lecture 20	Various problem solution of Linear homogeneous	and non-
	homogeneous ODE	

Unit 2 (Systems	of Linear Differential Equations) Total lectures =20	
Lecture Serial	Topics of Discussion	
Lecture 21	Introduction of Systems of linear differential equations, Type of Liner	
	Systems	
Lecture 22	Definition of solution, normal form of Liner Systems, Example	
Lecture 23	Some various example of Linear differential equation	
Lecture 24	Differential operators with some example	
Lecture 25	An Operator Method for Linear System with constant coefficients	
Lecture 26	Solution of Linear System using Operator Method	
Lecture 27	Various problem and solution by Operator Method	
Lecture 28	Discuss about application of System Linear ODE, Eample	
Lecture 29	Application to Mixture Problem, Example	
Lecture 30	Basic Theory of Linear System in Normal form, some example	
Lecture 31	Homogeneous Linear System with two equations in two unknown	
	functions, some example	
Lecture 32	Linear combination of solutions, Example	
Lecture 33	Theorem: Any linear combination of two solutions of the homogeneous	
	linear system is itself a solution of the system, Example	
Lecture 34	Linearly independent solution of the Homogeneous Linear System,	
	Example	
Lecture 34	Theorem: There exist sets of two linearly independent solutions of the	
	homogeneous linear system, Example	
Lecture 35	Every solution of the Linear System can be written as a linear	
	combination of any two linearly Independent solution of the Linear	
	System, Example	
Lecture 36	If $W(t)$ be Wronskian of two solutions of homogeneous linear system	
	on an interval $a \le t \le b$, then either W(t)=0 for all te[a, b] or W(t)=0	
	for no te[a, b], Example	
Lecture 37	Nonhomogeneous Linear System, Example	
Lecture 38	Characteristic Equation associated with the Homogeneous Linear	
	System with constant coefficients, some example	
Lecture 39	Introduction for solution of Homogeneous Linear System with constant	
	coefficients two equations in two unknown functions	
Lecture 40	Problem solution of Homogeneous Linear System with constant	
	coefficients two equations in two unknown functions	
Unit 3 (Phase pla	ane, Power series solution) Total lectures =0	
Lecture Serial	Topics of Discussion	
Lecture 41	Equilibrium points, Interpretation of the phase plane	
Lecture 42	Definition of Power Series, Definition of regular point, singular point,	
1 1 12	regular singular point, some example	
Lecture 43	Method of solution of series solution about ordinary point,	
Lecture 44	Power series solution of a 2nd order linear ODE about ordinary point	
Lecture 45	Series solution about Regular Singular points, The method of Frobenius	
Lecture 46	Example, series solution about Regular Singular points	

Unit 4 (Vector C	Unit 4 (Vector Calculus)Total lectures =10	
	CONTENTS	
Triple product, in	troduction to vector functions, operations with vector-valued functions,	
limits and continuity of vector functions, differentiation and integration of vector function		
Lecture Serial	Topics of Discussion	
Lecture 47	Preliminary idea about product of vectors, product of three and four	
	vectors, geometrical interpretation of scalar and vector triple product.	
Lecture 48	Discussion of some elementary geometrical problem by application of	
	vector method, coplanarity of three vectors etc.	
Lecture 49	Discussion of problems on triple product, application of vectors in mechanics.	
Lecture 50	Introduction to vector functions, definition of vector function and	
	example of different kinds of vector valued functions.	
Lecture 51	Algebra of vector-valued functions, examples.	
Lecture 52	Definition of limit for a vector valued function, algebra of limits and	
	examples.	
Lecture 53	Definition of continuity for a vector valued function, algebra of	
	continuous vector functions and examples.	
Lecture 54	Definition of differentiability for a vector valued function, algebra of	
	differentiable vector functions and examples.	
Lecture 55	Integration of vector functions: Definition, discussion of some	
	properties and evaluation of integration of vector valued function.	
Lecture 56	Discussion of problems.	
Graphical Demo	nstration (Teaching Aid) Total lectures =04	
Lecture Serial	Topics of Discussion	
Lecture 57	Plotting of family of curves which are solutions of first order	
	differential equation.	
Lecture 58	Plotting of family of curves which are solutions of second order	
	homogeneous differential equation	
Lecture 59	Plotting of family of curves which are solutions of second order non-	
	homogeneous differential equation.	
Lecture 60	Plotting of family of curves which are solutions of third order	
	differential equation	

Semester: III

Paper: BMH4CC05 (Theory of real functions and Introduction to metric space)

Total Lecture Hours = 60

Unit 1	Total Lectures =25	
Lecture Serial	Topics of Discussion	
Lecture 1	$\varepsilon - \delta$ definition of limit of a function with examples	
Lecture 2	Uniqueness of limit and sequential criterion of limit	
Lecture 3	Some problems of finding limits of functions	
Lecture 4	Same sign property and some more examples and problems	
Lecture 5	Limit theorems: Sum, difference and scalar multiplication of functions	
Lecture 6	Limit theorems: product, ratio of functions	
Lecture 7	Some more theorems and problems	
Lecture 8	Sandwitch theorem with applications	
Lecture 9	Cauchy's principle with examples	
Lecture 10	Concept of one sided limits with examples	
Lecture 11	Concept of infinite limits with examples	
Lecture 12	Some theorems and problems	
Lecture 13	Some miscellaneous problems	
Lecture 14	Continuity of a function with examples and some theorems	
Lecture 15	Sequential criterion of continuity and some other theorems	
Lecture 16	Some applications of sequential criterion	
Lecture 17	Continuity of sum, difference, product, ratio of two continuous	
	functions	
Lecture 18	Continuity in an interval with examples and problems	
Lecture 19	Examples of some important continuous functions and composite	
	functions	
Lecture 20	Various type of discontinuity with examples	
Lecture 21	Some miscellaneous problems	
Lecture 22	Same sign property, the relation between continuity and boundedness,	
	Intermediate value property	
Lecture 23	Relation between monotone function and continuous function, some	
	theorems related to open, closed sets and continuity	
Lecture 24	Uniform continuity: Definition and theorems	
Lecture 25	Some problems on continuity an uniform continuity	
Unit 2	Unit 2Total lectures =15	
Lecture Serial	Topics of Discussion	
Lecture 26	Differentiability of a function: Definition, theorems and examples	
Lecture 27	Caratheodory's theorem and some problems	
Lecture 28	Algebra of differentiable functions	
Lecture 29	Relative extrema, interior extrema with examples	
Lecture 30	Monotonicity of a function with sign of derivative with related problems	
Lecture 31	Rolle's theorem in different forms with geometric interpretation	
Lecture 32	Verification and application of Rolle's theorem with some examples	

Lecture 33	Lagrane's MVT with geometric interpretation and different form of
	Lagrange's MVT
Lecture 34	Verification and applications of Lagrange's MVT with some examples
Lecture 35	Some theorems and related problems
Lecture 36	IVP for derivatives and Darboux theorem
Lecture 37	Application of Lagrange's MVT to inequalities and approximation of
	polynomials
Lecture 38	Curvature and radius of curvature of a curve with intrinsic equation and
	cartesian equations
Lecture 39	Radius of curvature of a curve with parametric equation, polar equation,
	pedal equations
Lecture 40	Some miscellaneous problems on curvature
Unit 3	Total lectures =10
Lecture Serial	Topics of Discussion
Lecture 41	Cauchy's MVT and it's geometric interpretation
Lecture 42	Some problems
Lecture 43	Taylor's theorem with Lagrange's, Cauchy's and Generalized form of
	remainder
Lecture 44	Maclaurin's theorem with Lagrange's, Cauchy's and Generalized form
	of remainder
Lecture 45	Application of Taylor's theorem to convex function and relative extrema
Lecture 46	Some problems and introduction of Taylor's and Maclaurin's infinite
	series
Lecture 47	Expansion of some functions: Exponential function, Trigonometric
	functions
Lecture 48	Expansion of some functions: $log(1 + x)$ and some consequences
Lecture 49	Expansion of some functions: $\frac{1}{2}$ and $(1+r)^n$
	ax + b
Lecture 50	Applications of Taylor's theorem to inequalities
Unit 4	Total lectures =10
Lecture Serial	Topics of Discussion
Lecture 51	Metric space : Definition and examples
Lecture 52	Some examples of metric space: Usual metric on \square ",
	$l_p - Space, p \ge 1$, Space of continuous functions $C[a,b]$
Lecture 53	Open ball, interior point and open set
Lecture 54	Some theorems on open set
Lecture 55	Closed ball and closed set and limit point
Lecture 56	Some theorems on closed sets
Lecture 57	Interior of a set and related theorems
Lecture 58	Derived and closure of a set and related theorems
Lecture 59	Diameter of a set and subspace of a metric space
Lecture 60	Dense sets and separable sets

Semester: III Paper: BMH3CC06 (Group Theory–I) Total Lectures = 60

Unit 1	Total Lectures =10
CONTENTS	
Symmetries of a square, Dihedral groups, definition and examples of groups including	
permutation grou	ps and quaternion groups (through matrices), elementary properties of
groups.	
Lecture Serial	Topics of Discussion
Lecture 1	Finite groups, The permutation group S_n , Symmetric group S_3
Lecture 2	Symmetries of a equilateral triangle, Symmetries of a square
Lecture 3	Definition and examples of groups, Commutative group, non-
	commutative group, examples.
Lecture 4	Permutation groups and quaternion groups,
Lecture 5	Definition and examples Cycle, Even and odd permutation, alternating
	groups.
Lecture 6	Few important results on permutation group, interesting problems.
Lecture 7	A group contains only one identity element, examples.
Lecture 8	Inverse of an element in a group is unique, some problems, In a
	group(G , \circ), $(a \circ b)^{-1} = b^{-1} \circ a^{-1} \forall a, b \in G$, some problems.
Lecture 9	Some Important Groups;
	$GL(2,\mathbb{R}) = \left\{ \begin{pmatrix} a & b \\ c & d \end{pmatrix} \in M_2(\mathbb{R}) : ad - bc \neq 0 \right\}$
	$SL(2,\mathbb{R}) = \left\{ \begin{pmatrix} a & b \\ c & d \end{pmatrix} \in M_2(\mathbb{R}) : ad - bc = 1 \right\}$
	Few important results and theorems.
Lecture 10	The group Z_n of integers under addition modulo n, Examples, The
	group U(n) of units under multiplication modulo n, Examples
Unit 2	Total Lectures =05
	CONTENTS
Subgroups and ex	amples of subgroups, centralizer, normalizer, center of a group, product
of two subgroups.	
Lecture 11	Definition of Subgroup with examples. If (G, \circ) be a group, a non-empty
	subset H of G forms a subgroup of G iff i) $a, b \in H \Rightarrow a \circ b \in H$, ii)
	$a \in H \Rightarrow a^{-1} \in H$
Lecture 12	If H be a non-empty subset of a group G . Then H is a subgroup of G iff
	$ab^{-1} \in H$ whenever $a, b \in H$.
	Intersection of a family of subgroup of a group G is a subgroup of G .
Lecture 13	Union of two subgroups of a group G may not be a subgroup of G ,
	examples. If H, K be two subgroups of a group G . Then $H \cup K$ is a
	subgroup of $Giff H \subset Kor K \subset H$.
Lecture 14	Definition of Centre of a group, examples. Z(G) is a subgroup of G
	Definition of Centraliser of an element in a group, If G be a group and
	$a \in G$, then C(a) is a subgroup of G.

Lecture 15	Product of two subgroups. Theorems and results.	
Unit 3	Total Lectures =20	
	CONTENTS	
Properties of cyclic groups, classification of subgroups of cyclic groups, Cycle notation for		
permutations, pro	perties of permutations, even and odd permutations, alternating group,	
properties of cos	sets, Lagrange's theorem and consequences including Fermat's Little	
theorem.		
Lecture 16	Integral power of an element, Definition of order of an element.	
	Examples If <i>a</i> be an element of a group <i>G</i> . Then $o(a) = o(a^{-1})$. In a	
	group G, let $a \in G$ and $o(a) = n$ then $o(a^m) = \frac{n}{(m+1)}$ where m is a	
	non-zero integer.	
Lecture 17	Definition of Cyclic groups, examples. If G is a cyclic group generated	
	by a then a^{-1} is also a generator of G. Complex roots of unity. Klein's	
	4-group, example	
Lecture 18	Few more theorems, results and problems,	
Lecture 19	Classification of subgroups of cyclic groups.	
Lecture 20	Every subgroup of a cyclic group is cyclic. Properties of finite cyclic	
	group.	
Lecture 21	If G be a cyclic group of order n . Then the total number of generators	
	of G is $\phi(n)$. Application of this theorem to different type of	
	problems	
Lecture 22	More results on cyclic group. Solving problems.	
Lecture 23	Definition and examples of Permutation. Permutation groups.	
	Symmetric group S_n .	
Lecture 24	Definition and examples Cycle. Theorems and results.	
Lecture 25	Even and odd permutation. Theorems and results.	
Lecture 26	The alternating groups. Theorems and results.	
Lecture 27	Few important results on permutation group, interesting problems.	
Lecture 28	Definition of Left Coset and Right Coset, Let H be a subgroup of a	
	group G and $a \in G$ then $aH = H$ iff $a \in H$	
Lecture 29	H be a subgroup of a group G and $a, b \in G$ then $aH = bH$ iff	
	$a^{-1}b \in H$	
Lecture 30	Any two left cosets or right cosets of a group have the same cardinality.	
	More Theorems on coset.	
Lecture 31	<i>H</i> be a subgroup of a group <i>G</i> , then $\bigcup_{a \in G} aH = G$	
	$a, b \in G$ then either $aH = bH$ or $aH \cap bH = \phi$	
	Let H be a subgroup of a group G then set of all left cosets (right	
	costes) of H in G forms a partition of G , Index of	
	subgroup	
Lecture 32	Lagrange's theorem. The order of each element of a finite group G is a	
	divisor of $o(G)$ [if <i>G</i> be a finite group then $o(a) o(G) \forall a \in G$].	
Lecture 33	Group of prime order is cyclic. The order of each element in a finite	
	group is a divisor of order of the group. Application of this result.	
Lecture 34	More consequences of Lagrange's theorem, Fermat's Little theorem.	

Lecture 35	General discussion on whole content of this unit.
Unit 4	Total Lectures =10
	CONTENTS
External direct pr	roduct of a finite number of groups, normal subgroups, factor groups,
Cauchy's theorem	for finite abelian groups.
Lecture 36	External direct product of a finite number of groups.
Lecture 37	Few important result and problems on External direct product of a finite
	number of groups.
Lecture 38	Normal subgroups: their definition, examples, and characterizations
Lecture 39	Let <i>H</i> be a subgroup of <i>G</i> such that $[G : H] = 2$. Then H is a normal
	subgroup of G.
Lecture 40	Let <i>H</i> be a subgroup of a group <i>G</i> , then H is normal in <i>G</i> iff $x \in G, h \in$
	$H \Rightarrow xhx^{-1} \in H \text{ [or } xHx^{-1} \subset H \forall x \in G].$
Lecture 41	Every subgroup of a commutative group G is a normal in G. Test for
	normality.
Lecture 42	More theorems, results and examples on normal subgroup.
Lecture 43	Quotient groups, Let H be a normal subgroup of G, $letG/H$ denote the
	set of all left cosets of H in G. Define a binary operation $*$ on G/H as
	$aH * bH = abH \forall aH, bH \in G/H.$
	Then G/H is a group with respect to the operation.
Lecture 44	If H be a subgroup of a cyclic group G then G/H is cyclic. More results
	and examples.
Lecture 45	Finite abelian groups, Cauchy's theorem for finite abelian groups.
Unit 5	Total Lectures =15
	CONTENTS
Group homomorp	phisms, properties of homomorphisms, Cayley's theorem, properties of
isomorphisms, First, Second and Third isomorphism theorems.	
Lecture 46	Definition and examples of Group <i>homomorphism</i> . Simple properties.
Lecture 47	Let $\emptyset: G \to G'$ be a homomorphism, then $\emptyset(e) = \emptyset(e')$, $\emptyset(a^{-1}) =$
	$\{\emptyset(a)\}^{-1}$ for all $a \in G$ and many more results.
Lecture 48	Definition of homeomorphic image and its properties, examples.
Lecture 49	Definition and examples of <i>epimorphism</i> .
	Let $\emptyset: G \to G'$ be a homomorphism, then if <i>H</i> is a subgroup of <i>G</i> , $\emptyset(H)$
	is a subgroup of G' .
Lecture 50	Action of homomorphism on normal subgroup of a group. Few
	theorems and results.
Lecture 51	Definition and examples of kernel of a homomorphism. Theorems and
	results.
Lecture 52	Discussion of various problems on homomorphism.
Lecture 53	Definition and examples of Group <i>isomorphism</i> . Simple properties.
Lecture 54	Important theorems and results on isomorphism.
Lecture 55	Action of isomorphism on a cyclic group. Theorems and results.
Lecture 56	Discussion of various problems on isomorphism.
Lecture 57	First isomorphism theorem and application.

Lecture 58	Second isomorphism theorems and application.
Lecture 59	Third isomorphism theorems and application.
Lecture 60	General discussion on whole content of this unit

Semester: III

Paper: BMH3CC07 (Numerical Methods and Numerical Methods Lab) Total Lectures = 60

Unit 1 (Error)	Total Lectures =02
Lecture Serial	Topics of Discussion
Lecture 1	Exact number, Approximation number, Absolute error, Relative error,
	Relative percentage error, Significant digit, General formula for
	estimation of error, Examples
Lecture 2	Rounding off, Algorithms, Convergence, Truncation, Examples
Unit 2 (Method t	o find roots of Transcendental and Polynomial equations)
	Total Lectures =06
Lecture Serial	Topics of Discussion
Lecture 3	Discuss about the roots and location of roots of Transcendental and
	Polynomial equations
Lecture 4	Method of bisection, Fixed point iteration method, Examples
Lecture 5	Convergence of these method, Order of convergence
Lecture 6	Newton-Raphson method, Condition for Convergence, Order of
	Convergence, Geometrical interpretation
Lecture 7	Regulafalsi method, Convergence, Geometrical interpretation
Lecture 8	Newton's method, Secant method, Convergence
Unit 3 (Solution	of System of Linear Algebraic Equation) Total Lectures =08
Lecture Serial	Topics of Discussion
	I
Lecture 9	Discuss about the solution of System of linear algebraic equations
Lecture 9 Lecture 10	Discuss about the solution of System of linear algebraic equations Gaussian Elimination, Examples
Lecture 9 Lecture 10 Lecture 11	Discuss about the solution of System of linear algebraic equations Gaussian Elimination, Examples Gauss Jordan methods. Examples
Lecture 9 Lecture 10 Lecture 11 Lecture 12	Discuss about the solution of System of linear algebraic equations Gaussian Elimination, Examples Gauss Jordan methods. Examples Gauss Jacobi method, Examples
Lecture 9 Lecture 10 Lecture 11 Lecture 12 Lecture 13	Discuss about the solution of System of linear algebraic equations Gaussian Elimination, Examples Gauss Jordan methods. Examples Gauss Jacobi method, Examples Gauss Seidel method, Examples
Lecture 9 Lecture 10 Lecture 11 Lecture 12 Lecture 13 Lecture 14	Discuss about the solution of System of linear algebraic equations Gaussian Elimination, Examples Gauss Jordan methods. Examples Gauss Jacobi method, Examples Gauss Seidel method, Examples Gauss Seidel iteration method converges if the system of equation is
Lecture 9 Lecture 10 Lecture 11 Lecture 12 Lecture 13 Lecture 14	Discuss about the solution of System of linear algebraic equations Gaussian Elimination, Examples Gauss Jordan methods. Examples Gauss Jacobi method, Examples Gauss Seidel method, Examples Gauss Seidel iteration method converges if the system of equation is diagonally dominate
Lecture 9 Lecture 10 Lecture 11 Lecture 12 Lecture 13 Lecture 14 Lecture 15	Discuss about the solution of System of linear algebraic equations Gaussian Elimination, Examples Gauss Jordan methods. Examples Gauss Jacobi method, Examples Gauss Seidel method, Examples Gauss Seidel iteration method converges if the system of equation is diagonally dominate Their convergence analysis
Lecture 9 Lecture 10 Lecture 11 Lecture 12 Lecture 13 Lecture 14 Lecture 15 Lecture 16	Discuss about the solution of System of linear algebraic equations Gaussian Elimination, Examples Gauss Jordan methods. Examples Gauss Jacobi method, Examples Gauss Seidel method, Examples Gauss Seidel iteration method converges if the system of equation is diagonally dominate Their convergence analysis LU Decomposition
Lecture 9 Lecture 10 Lecture 11 Lecture 12 Lecture 13 Lecture 14 Lecture 15 Lecture 16 Unit 4 (Interpola	Discuss about the solution of System of linear algebraic equationsGaussian Elimination, ExamplesGauss Jordan methods. ExamplesGauss Jacobi method, ExamplesGauss Seidel method, ExamplesGauss Seidel iteration method converges if the system of equation is diagonally dominateTheir convergence analysisLU DecompositionTotal Lectures =09
Lecture 9 Lecture 10 Lecture 11 Lecture 12 Lecture 13 Lecture 14 Lecture 15 Lecture 16 Unit 4 (Interpola Lecture Serial	Discuss about the solution of System of linear algebraic equationsGaussian Elimination, ExamplesGauss Jordan methods. ExamplesGauss Jacobi method, ExamplesGauss Seidel method, ExamplesGauss Seidel iteration method converges if the system of equation is diagonally dominateTheir convergence analysisLU DecompositionTotal Lectures =09Topics of Discussion
Lecture 9 Lecture 10 Lecture 11 Lecture 12 Lecture 13 Lecture 14 Lecture 15 Lecture 16 Unit 4 (Interpola Lecture 17	Discuss about the solution of System of linear algebraic equations Gaussian Elimination, Examples Gauss Jordan methods. Examples Gauss Jacobi method, Examples Gauss Seidel method, Examples Gauss Seidel iteration method converges if the system of equation is diagonally dominate Their convergence analysis LU Decomposition tion) Topics of Discussion Introduction about Interpolation, Error in Interpolation
Lecture 9 Lecture 10 Lecture 11 Lecture 12 Lecture 13 Lecture 14 Lecture 15 Lecture 16 Unit 4 (Interpola Lecture 17 Lecture 18	Discuss about the solution of System of linear algebraic equations Gaussian Elimination, Examples Gauss Jordan methods. Examples Gauss Jacobi method, Examples Gauss Seidel method, Examples Gauss Seidel iteration method converges if the system of equation is diagonally dominate Their convergence analysis LU Decomposition tion) Topics of Discussion Introduction about Interpolation, Error in Interpolation Difference, Operator, Difference of polynomial
Lecture 9 Lecture 10 Lecture 11 Lecture 12 Lecture 13 Lecture 14 Lecture 15 Lecture 16 Unit 4 (Interpola Lecture 17 Lecture 18 Lecture 19	Discuss about the solution of System of linear algebraic equations Gaussian Elimination, Examples Gauss Jordan methods. Examples Gauss Jacobi method, Examples Gauss Seidel method, Examples Gauss Seidel iteration method converges if the system of equation is diagonally dominate Their convergence analysis LU Decomposition tion) Total Lectures =09 Topics of Discussion Introduction about Interpolation, Error in Interpolation Difference, Operator, Difference of polynomial Newton's forward and backward Interpolation, Examples
Lecture 9 Lecture 10 Lecture 11 Lecture 12 Lecture 13 Lecture 14 Lecture 15 Lecture 16 Unit 4 (Interpola Lecture 17 Lecture 18 Lecture 19 Lecture 20	Discuss about the solution of System of linear algebraic equations Gaussian Elimination, Examples Gauss Jordan methods. Examples Gauss Jacobi method, Examples Gauss Seidel method, Examples Gauss Seidel iteration method converges if the system of equation is diagonally dominate Their convergence analysis LU Decomposition tion Total Lectures =09 Topics of Discussion Introduction about Interpolation, Error in Interpolation Difference, Operator, Difference of polynomial Newton's forward and backward Interpolation, Examples Lagrange Interpolation, Properties, Inverse Interpolation, Examples
Lecture 9 Lecture 10 Lecture 11 Lecture 12 Lecture 13 Lecture 14 Lecture 15 Lecture 16 Unit 4 (Interpola Lecture 17 Lecture 18 Lecture 19 Lecture 20 Lecture 21	Discuss about the solution of System of linear algebraic equations Gaussian Elimination, Examples Gauss Jordan methods. Examples Gauss Jacobi method, Examples Gauss Seidel method, Examples Gauss Seidel iteration method converges if the system of equation is diagonally dominate Their convergence analysis LU Decomposition tion Total Lectures =09 Topics of Discussion Introduction about Interpolation, Error in Interpolation Difference, Operator, Difference of polynomial Newton's forward and backward Interpolation, Examples Lagrange Interpolation, Properties, Inverse Interpolation, Examples Linear, Quadratic Interpolation and their accuracy

Lecture 23	Forward and backward difference interpolations.
Lecture 24	Numerical differentiation methods based on interpolations, Examples
Lecture 25	Numerical differentiation methods based on finite differences, Examples
Unit 5 (Numerica	al Integration) Total lectures =10
Lecture Serial	Topics of Discussion
Lecture 26	Numerical Integration, General formula
Lecture 27	Degree of Precision, Examples
Lecture 28	Newton Cotes formula, Error in Newton Cotes formula
Lecture 29	Trapezoidal rule, Composite trapezoidal rule, Examples
Lecture 30	Simpson's 1/3rd rule, Composite Simpson's 1/3rd rule, Examples
Lecture 31	Simpson's 3/8rd rule
Lecture 32	Weddle's rule, Composite Weddle's rule
Lecture 33	Boole's rule.
Lecture 34	Midpoint rule
Lecture 34	Gauss quadrature Theory, Composite Gauss formula.
Lecture 35	The algebraic eigenvalue problem: Power method.
Unit 6 (Numeric	al Solution of Differential Equations) Total lectures =05
Lecture Serial	Topics of Discussion
Lecture 36	Basic concepts, The method of successive approximations
Lecture 37	Euler's method, Examples
Lecture 38	The modified Euler method, Examples
Lecture 39	Runge-Kutta methods of order two, Examples
Lecture 40	Runge-Kutta methods of order four, Examples
Unit 7 (Numeric	al Practical) Total lectures =20
Lecture Serial	Topics of Discussion
Lecture 42	Introduction in C- Programming
Lecture 43	Sample program, Printing a message, adding of two number, Percentage, Interest calculation, Examples
Lecture 44	Sample program use of mathematical functions, Basic structure of C
Lecture 45	Discuss on Newton Ranhson method
Lecture 46	C- Programming onsolution of transcendental and algebraic equations
	byNewton Raphson method
Lecture 47	Discuss on Regula Falsi method
Lecture 48	C- Programming onsolution of transcendental and algebraic equations
	byRegula Falsi method
Lecture 49	Discuss on Gaussian elimination method
Lecture 50	C- Programming onsolution of system of linear equations by Gaussian
	elimination method
Lecture 51	Discuss onGauss-Seidel method
Lecture 52	C- Programming onsolution of system of linear equations by Gauss-
	Seidel method
Lecture 53	Discuss on Lagrange Interpolation, Examles
I	C-Programming on Lagrange Interpolation

Lecture 55	Discuss on Trapezoidal Rule and composite form
Lecture 56	C- Programming onNumerical Integration by Trapezoidal Rule
Lecture 57	Discuss on Simpson's one third rule and composite form
Lecture 58	C- Programming on Numerical Integration by Simpson's one third rule
Lecture 59	Discuss on RungeKutta method
Lecture 60	C- Programming onsolution of ordinary differential equations by Runge
	Kutta method

Semester : III Paper : BMH3SEC11 (Logic & Sets) Total Lecture Hours = 40

Unit 1	Total Lectures =18
Lecture Serial	Topics of Discussion
Lecture 1	Introduction, Proposition with examples
Lecture 2	Truth table, negation, conjunction and disjunction
Lecture 3	Some examples of truth tables of some logical expressions
Lecture 4	Implications with examples and it's truth table
Lecture 5	Biconditional properties with examples
Lecture 6	Converse of a logical statement
Lecture 7	Contrapositive and inverse of a proposition
Lecture 8	Precedence of logical operators with examples
Lecture 9	Tautology and Contradiction
Lecture 10	Some more examples o tautologies and contradictions
Lecture 11	Propositional equivalence and Logical equivalence
Lecture 12	Some examples of pair of Logically equivalent statements
Lecture 13	D' Morgan's laws
Lecture 14	Quantifiers: Introduction and examples
Lecture 15	Existence and universal quantifiers with examples
Lecture 16	Negation of quantified statements
Lecture 17	Binding variables and negations
Lecture 18	Miscellaneous problems
Unit 2 Total lectures =07	
Lecture Serial	Topics of Discussion
Lecture 19	Sets and sub sets with examples
Lecture 20	Set operations and the laws of set theory and Venn diagrams
Lecture 21	Examples of finite and infinite sets
Lecture 22	Finite sets and counting principle
Lecture 23	Empty set, properties of empty set.
Lecture 24	Standard set operations.
Lecture 25	Classes of sets. Power set of a set.
Unit 3	Total lectures =15
Lecture Serial	Topics of Discussion
Lecture 26	Difference of two sets with examples

Lecture 27	Symmetric difference of two sets with examples
Lecture 28	Set identities
Lecture 29	Generalized union and intersections
Lecture 30	Cartesian product and relation between two sets
Lecture 31	Relation on a set. Types of relations, equivalence relations
Lecture 32	Some examples of equivalence relations
Lecture 33	Equivalence class with examples
Lecture 34	Partitions of a set and relation between partition and equivalence relation
Lecture 35	Congruence relation with examples
Lecture 36	Some theorems on congruence relation
Lecture 37	Partial order relation with examples
Lecture 38	Poset and Latice with examples
Lecture 39	Covering diagram and some problems on Poset and Latice
Lecture 40	n- ary relations

Semester : IV

Paper : BMH4CC08 (Riemann Integrations and Series of functions) Total Lecture Hours = 60

Unit 1(Riemann	Integration) Total Lectures =20
Lecture Serial	Topics of Discussion
Lecture 1	Introduction and definition of Riemann Integration
Lecture 2	Refinement of a partion Norm of a partion. Inequalities of Upper and
	Lower sums
Lecture 3	Finding of value of some integrals by Riemann's definitions
Lecture 4	Some more problems related to upper and lower sums and refinement
	and finding integrals
Lecture 5	Condition of integrability and related problems
Lecture 6	Darboux theorem and another definition of integrability : $U(P, f)$ –
	$L(P,f) < \varepsilon$
Lecture 7	Solving some problems using Darboux theorem and the another
	definition of integrability
Lecture 8	Riemann integrability of monotone and continuous functions
Lecture 9	Definition of piecewise continuity and integrability of piecewise
	continuous function with examples
Lecture 10	Integrability of a function f on $[a, b]$, where f has an infinite sub set S
	of [a, b] as the points of discontinuity with limit points of S is finite
	with examples
Lecture 11	Some examples and problems related to the previous theorems
Lecture 12	Integrability of sum, difference of two integrable functions with
	examples and counter example . Integrability of scalar multiplication of
	an integrable function
Lecture 13	Integrability of product and ratio of two integrable functions with

	examples and counter examples
Lecture 14	Integrability of modulus function of an integrable function and showing
	it's converse is not true with counter examples
Lecture 15	The theorems related to $\int_a^b f = \int_a^c f + \int_c^b f$ and some examples
Lecture 16	Some inequalities like $\int_a^b f \ge 0$, if $f(x) \ge 0$ on $[a, b]$; $\int_a^b f \ge \int_a^b g$, if
	$f(x) \ge g(x)$ on $[a, b]; \int_{a}^{b} f \le \int_{a}^{b} f $
Lecture 17	Fundamental theorems of Integral Calculus and concept of antiderivatives of a function with examples
Lecture 18	The relation between integrability and existence of antiderivative with
L / 10	some examples
Lecture 19	1 ^{or} MVT of integral calculus with some applications
Lecture 20	2 ND MVT of integral calculus with some applications
Unit 2 (Improper	r Integrals) Total lectures =07
Lecture Serial	Topics of Discussion
Lecture 21	Introduction of Improper integrals and different types with examples
Lecture 22	Convergence of Improper integrals of type 1 when the interval of
	integration is bounded, but integrand is not bounded. Some theorems
	and problems
Lecture 23	Some more results and problems of type 1 improper integrals
Lecture 24	Improper integrals of type 2 when the interval of integrations is
	unbounded. Some theorems and problems
Lecture 25	Abel's and Dirichlet's test and their applications
Lecture 26	Introduction and convergence of Beta function and it's properties
Lecture 27	Introduction and convergence of Gamma function and it's properties.
	Applications of Beta and Gamma functions
Unit 3 (Sequence	e and Series of functions) Total lectures =15
Lecture Serial	Topics of Discussion
Lecture 28	Introduction of Sequence of functions with some examples
Lecture 29	Pointwise and uniform convergence of sequence of functions with
Lecture 30	Some problems related to pointwise and uniform convergence of
Lecture 50	sequence of functions
Lecture 31	Cauchy criterion and some theorems and examples
Lecture 32	Some more problems on convergence of sequence of functions
Lecture 33	Boundedness and continuity of uniform limit functions of a sequence of
	bounded or continuous functions
Lecture 34	Some more explanations with examples related to previous topic
Lecture 35	Integrability and differentiability of limit function
Lecture 36	Some more explanations with examples related to term-by-term
	integrations and differentiations
Lecture 37	Introduction of series of functions and it's partial sum with examples
Lecture 38	Pointwise and uniform convergence of series of functions with some
	examples

Lecture 39	Cauchy's principle and Weierstrass' M-test for uniform convergence
Lecture 37	with some examples
Lecture 40	Some problems for testing of uniform convergence by Cauchy's
	nrinciple and Weierstrass' M-test
Lecture 41	Consequences of uniform convergence
Lecture 42	Abel's and Dirichlet's tests and their applications
Unit 4 (Fourier S	Series) Total lectures =10
Lecture Serial	Topics of Discussion
Lecture 43	Introduction of Fourier Series of a periodic function of period 2π in
	$[-\pi,\pi]$ and determining the coefficients a_0, a_n, b_n
Lecture 44	Determining of Fourier series of some functions
Lecture 45	Determining of Fourier Series of odd and even functions with examples
Lecture 46	Dirichlet's conditions and the main theorem related to convergence of
	Fourier Series
Lecture 47	Some problems of finding Fourier Series and convergence of the series
	and some deductions
Lecture 48	The half range series in $[0, \pi]$: Expansion of a function in sine and
	cosine series in $[0, \pi]$
Lecture 49	Some more problems of finding Fourier series and their convergence
	and sine, cosine series
Lecture 50	Fourier Series of a function in $[0,2\pi]$ of period 2π with examples
Lecture 51	Fourier Series of a periodic function of period 2 <i>l</i> in arbitrary interval
	[-l, l] with examples
Lecture 52	Some miscellaneous problems on Fourier Series
Unit (Power Ser	ies) Total lectures =08
Lecture Serial	Topics of Discussion
Lecture 53	Introduction of Power Series with examples
Lecture 54	Some theorems on convergence and divergence of Power series with
	examples
Lecture 55	Definition of radius of convergence and interval of convergence with
	some examples
Lecture 56	Cauchy-Hadamard theorem and Ratio test for finding radius of
	convergence
Lecture 57	Some problems of finding radius of convergence and interval of
	convergence
Lecture 58	Some properties of power series: Differentiation and Integration of
	power series
Lecture 59	Abel's Theorems and their applications
Lecture 60	Weierstrass' approximation theorem and it's applications

Semester : IV Paper : BMH4CC09 (Multivariate Calculus) Total Lecture Hours = 60

Unit 1	Total Lectures =25
Lecture Serial	Topics of Discussion
Lecture 1	Functions of several variables: Introduction with some examples
Lecture 2	Limit of a function with n variables with some examples
Lecture 3	Some examples of non-existence of limit
Lecture 4	Concept of repeated limit and simultaneous limit with examples
Lecture 5	Continuity of a function of several variables with examples
Lecture 6	Some more examples and problems related to continuity
Lecture 7	Definition of partial derivatives of a function of several variables with
	examples
Lecture 8	Some problems on partial derivatives
Lecture 9	Some more problems on partial derivatives
Lecture 10	Concept of directional derivatives and gradient with examples
Lecture 11	Some examples related to partial derivatives and directional derivatives
Lecture 12	Concept of total differential with examples
Lecture 13	Some theorems and problems on total differentiability
Lecture 14	Sufficient condition for differentiability with some illustrated examples
Lecture 15	Chain rules: Results and some problems
Lecture 16	Some more problems using chain rules
Lecture 17	Definition of homogeneous function and Euler's theorem
Lecture 18	Some problems using Euler's theorem
Lecture 19	The converse of Euler's theorem and related problems
Lecture 20	Schwartz theorem and some related problems
Lecture 21	Jacobian : Some results and problems
Lecture 22	Some more problems on Jacobian
Lecture 23	Maximal and normal property of gradients and tangent planes
Lecture 24	Extrema of a function of n variables with some examples
Lecture 25	Method of Lagrange multipliers with some related problems
Unit 2	Total lectures =15
Lecture Serial	Topics of Discussion
Lecture 26	Introduction of Double integration with examples
Lecture 27	Double integration over rectangular region with some examples
Lecture 28	Double integration over non rectangular region with some examples
Lecture 29	Some miscellaneous problems on Double integration
Lecture 30	Some more problems on double integration
Lecture 31	Double integration in polar co-ordinates with some illustrated examples
Lecture 32	Some more problems on double integration in polar co-ordinates
Lecture 33	Introduction of Triple integrals with examples
Lecture 34	Triple integrals over a parallelopiped with some illustrated examples
Lecture 35	Triple integrals over a solid region with some illustrated examples

Lecture 36	Volume of a solid by triple integrals with some examples
Lecture 37	Cylindrica and spherical polar co-ordinate system in three dimensions
Lecture 38	Some problems in cylindrical and spherical polar co-ordinate system
Lecture 39	Change of variables in double and triple integration with some illustrative
	examples
Lecture 40	Some miscellaneous problems on multiple integrals
Unit 3	Total lectures =10
Lecture Serial	Topics of Discussion
Lecture 41	Gradient of a scalar function with examples
Lecture42	Directional derivatives with examples
Lecture 43	Divergence and curl of a vector function with examples
Lecture 44	Some theorems on divergence and curl of a vector function
Lecture 45	Some problems on divergence and curl
Lecture 46	Solenoidal and irrotational vector fields with examples
Lecture 47	The concept of line integrals, fundamental theorem of line integrals
Lecture 48	Some problems on line integrals
Lecture 49	Definition of conservative field with examples
Lecture 50	Application of line integrals to work done
Unit 4	Total lectures =10
Lecture Serial	Topics of Discussion
Lecture 51	Concept of surface integrals with some illustrated examples
Lecture 52	Some more problems on surface integrals
Lecture 53	Green's theorem with examples
Lecture 54	Applications and verifications of Green's theorem with some illustrative
	examples
Lecture 55	Some more problems on Green's theorem
Lecture 56	The concept of volume integrals with examples
Lecture 57	Gauss's divergence theorem with examples
Lecture 58	Verifications and applications of divergence theorem with some illustrated
	examples
Lecture 59	Stoke's theorem, verifications of Stoke's theorem with some examples
Lecture 60	Some application of Stoke's theorem

Semester: IV Paper: BMH4CC10 (Ring Theory and Linear Algebra I) Total Lectures = 60

Unit- 1	Total Lectures =15	
	CONTENTS	
Definition and examp	bles of rings, properties of rings, subrings, integral domains and fields,	
characteristic of a ring	g. Ideal, ideal generated by a subset of a ring, factor rings, operations on	
ideals, prime and maximal ideals.		
Lecture Serial	Topics of Discussion	
	Definition of ring, simple examples.	
	Definition : Commutative ring, ring with unity; examples of commutative	
T	ring, non-commutative rings and ring with unity. Trivial and non-trivial	
Lecture 1	rings, ring of real matrices, ring of integers and ring of integer modulo	
	<i>n</i> . Ring of Gaussian integers, ring of Gaussian numbers and ring of	
	Quaternions.	
	Polynomial rings and ring of continuous function .	
	Theorem: Multiplicative identity in a ring is unique. Other important	
Lecture 2	properties of ring. Theorem: In a $R, a, 0 = 0, a = 0, \forall a \in R; a, (-b) = 0$	
	$(-a), b = -(a, b), \forall a, b \in \mathbb{R}; (-a), (-b) = a, b, \forall a, b \in \mathbb{R}.$	
	Discussion on simple properties of rings.	
	Definition : Left and right Divisor of zero and examples. Examples of	
	rings with and without Divisor of zero .	
	Theorem: Cancellation Law holds in a ring. Verification of cancellation	
	law with some examples.	
Lecture 3	Theorem: A non-trivial finite ring having no divisor of zero is a ring	
	with unity. Verification of this theorem with some examples of	
	integration of vector valued function.	
	Definition : Units. To find the units in the ring	
	$(Z, +, .), (R, +, .), (Q, +, .), (Z_n, +, .)$ etc.	
	Few theorems on unit of a ring and discussing some important problems.	
	Definition : Characteristic of a ring.	
Lastura 4	Theorem: Let R be a ring with unity I . If n be the least positive integer	
Lecture 4	for which <i>nI</i> =0, then <i>char R=n</i> . If There does not exist a positive integer	
	n for which $nI=0$ holds, then <i>char</i> $R=0$.	
	Some more problems.	
	Definition: Subring, Discussion on subring with examples. Definition	
	and examples of trivial, non-trivial and improper subrings. Condition	
Lecture 5	that a non empty subset S , of a ring R to be a subring of R and discussing	
	with examples. Theorem and important properties of subring. Problems.	
	Definition of factor ring with examples.	
	Definition of Integral domain with examples. Realizing Z_n is an integral	
Lecture 6	domain when n is prime. Discussion on simple properties of an integral	
	domain. Considering more examples for clear understanding the integral	

	domain.
Lecture 7	Theorem: The characteristic of an integral domain is either zero or a
	prime number.
	Definition: Skew field, examples of skew field. Few theorems and
	discussing some important problems.
	Definition of Field with examples. Understanding the field of Real,
Lecture 8	Rational and Complex numbers. To understand that "A field is an
	integral domain" but an integral domain may not be a field.
	Discussing that a finite integral domain is a field. Z_p is a field when p is
Lecture Q	prime.
Lecture 9	Theorem: The characteristic of a field domain is either zero or a prime
	number. Problem discussion.
	Theorem: A finite division ring is a field.
	Theorem: If p is a prime number then p is divisor of $(p-1)! +1$.
Lecture 10	Theorem: If <i>n</i> is a positive integer and <i>a</i> is any integer prime to <i>n</i> , then
	$a^{\varphi(n)} \equiv 1 \pmod{n}$, where $\varphi(n)$ is the number of positive integers less
	than <i>n</i> and prime to <i>n</i> .
	Definition : Ideals. Examples of Ideals. Definition and examples of
	trivial, non-trivial and improper Ideals. Condition that a non empty
Lecture 11	subset S , of a ring R to be an Ideals of R and discussing with examples.
	Operations on Ideals: Sums and products of ideals; Intersections of
	ideals.
Looturo 12	Theorems and simple properties of ideal.
Lecture 12	Ideal generated by a subset of a ring.
Lasture 12	Definition of Principal ideals with examples, definition of Principal
Lecture 15	ideal ring and Principal ideal of the ring Z . Problem discussion.
Looturo 14	Definition of Prime ideals with examples, definition of Prime ideal ring
Leclule 14	and Prime ideal of the ring Z . Problem discussion.
Lecture 15	Definition of Maximal ideals with examples, definition of Maximal
	ideal ring and Maximal ideal of the ring Z. Problem discussion.
Unit. 2	Total Lectures —10
Omt- 2	Total Ecctures –10
	CONTENTS
Ring homomorphisms	, properties of ring homomorphisms. Isomorphism theorems I, II and III,
field of quotients.	
	Brief discussion on group homomorphisms, monomorphism,
Lecture 16	epimorphism and isomorphism.
	Definition: Ring homomorphisms. Examples.
Lecture 17	Definition: Ring monomorphism, epimorphism and isomorphism.
	Examples of monomorphism, epimorphism and isomorphism.
Lecture 18	Few important theorems and some properties of ring homomorphism.
	Definition of <i>kernel</i> and examples.
Lecture 10	Theorem: Let <i>R</i> and <i>R</i> be two rings and $\varphi: R \to R$ be a homomorphism.
Lecture 17	Then ker φ is an ideal of R.
	Theorem: Let R and R be two rings and $\varphi: R \to R'$ be an onto

	homomorphism. Then φ is an isomorphism if and only if ker $\varphi = \{0\}$.	
Lecture 20	Some more useful theorems and properties. Important problems.	
	First Isomorphism Theorem:	
Lecture 21	Let R and R^{T} be two rings and $\varphi: R \to R'$ be a homomorphism. Then	
	$R/\ker\varphi \cong Im(\varphi).$	
	Solving problems by application of First Isomorphism Theorem.	
	Second Isomorphism Theorem:	
	Let R be a ring, let $S \subset R$ be a subring, and let I be an ideal of R. Then:	
Lecture 22	(1) $S + I = \{s + a : s \in S, a \in I\}$ is a subring of R, (2) $S \cap I$ is an ideal of	
Looture 22	S, and	
	(3) $(S + I)/I$ is isomorphic to $S/(S \cap I)$.	
	Solving problems by application of Second Isomorphism Theorem.	
	Theorem: Let R and R be two rings and $\varphi: R \to R$ be an onto	
	homomorphism. Let I be an ideal of R such that ker $\varphi \leq I, \sigma$ and σ' are	
	natural homomorphisms of R onto R/I and R onto $R'/f(I)$,	
Lecture 23	respectively. Then there exists a unique isomorphism θ of R/I onto	
	$R/f(I)$ such that $\sigma \ o\varphi = ho\sigma$.	
	Third Isomorphism Theorem:	
	Let I_1, I_2 be ideals of a ring R such that $I_1 \leq I_2$. Then $(R/I_1)/(I_2/I_1) \cong$	
	R/I_2 .	
	Solving problems by application of Third Isomorphism Theorem.	
Lecture 24	Discussing more problems.	
	Embedding of rings, understanding extension of a ring. Theorem: A ring <i>P</i> can be embedded in a ring <i>S</i> with unity	
	Theorem: An integral domain can be embedded in a field	
	Field of quotients	
	Theorem: The field of quotients E of an integral domain D is the	
Lecture 25	smallest field containing D	
	Example: Finding the field of quotients of the integral domain Z	
	More problems.	
Unit- 3	Total Lectures =12	
	CONTENTS	
Vector spaces, subspa	ces, algebra of subspaces, quotient spaces, linear combination of vectors,	
linear span, linear in	dependence, basis and dimension, dimension of subspaces, extension,	
deletion and replacement theorems.		
	Brief discussion on Real and Complex field. Binary composition,	
Lecture 26	External composition. Definition of Vector space V over a field F .	
Lecture 20	Examples of different vector spaces, some important properties of vector	
	space, few useful theorems.	
	Definition: Subspace of a vector space, Examples, Few theorems on	
	subspace.	
Lecture 27	Theorem: The intersection of a family of subspaces of a vector space is a	
	subspace of that vector space.	
	Theorem: The union of two subspaces of a vector space is not, in general	
	a subspace of that space.	

	Algebra of subspaces:
	Linear sum of subspaces.
	Theorems and examples.
	Definition: <i>Linear combination, linear span, spanning set.</i> Examples for
	clear understanding of these definitions.
	Theorem: Let V be a vector space over a field F and let S be a non-
Lecture 28	empty subset of V. Then the set W of all linear combinations of the
	vectors in S forms a subspace of V and this is the smallest subspace
	containing the set S.
	Problem discussion.
	Linear dependence and linear independence, verification with examples.
I	Theorem: If the set of vectors $\{\alpha_1, \alpha_2, \dots, \alpha_n\}$ in a vector space V over
Lecture 29	a field F be linearly dependent, then at least one of the vectors of the set
	can be expressed as a linear combination of the remaining others.
	Deletion Theorem. Solving problems by applying Deletion
	Theorem
Lecture 30	Basis and Dimension Example of bases for a vector space and the
	corresponding dimension of the vector space
	Finite and infinite dimensional vector spaces. Example of finite and
	infinite dimensional vector spaces. Example of finite and
Lecture 31	Proof of Replacement Theorem. Solving problems by applying
	Replacement Theorem.
Lecture 32	Important theorem on basis and dimension.
	Discussing more problems.
	Proof of Extension Theorem. Application of Extension Theorem to
Lecture 33	solve various problems.
	Coordinates of vectors.
	Complement of a subspace.
Lastura 24	Theorem: If U and W be two subspace of a finite dimensional vector areas V even a field E. Then $\dim(U + W) = \dim(U + \dim)$
Lecture 54	space v over a field F. Then $\dim(U + W) = \dim U + \dim W - \dim W$
	Examples
	Definition of complement Direct sum
	Definition of complement. Direct sum.
Lecture 35	Theorem: If V be a finite dimensional vector space and U and W are
Lecture 35	Theorem: If V be a finite dimensional vector space and U and W are complements to each other in V, then
Lecture 35	Theorem: If V be a finite dimensional vector space and U and W are complements to each other in V, then dim $V=\dim U + \dim W$.
Lecture 35	Theorem: If V be a finite dimensional vector space and U and W are complements to each other in V, then dim V =dim U + dim W . Problem discussion.
Lecture 35	Theorem: If V be a finite dimensional vector space and U and W are complements to each other in V, then dim V=dim U + dim W. Problem discussion. Quotient Space definition and properties of quotient space.
Lecture 35	Theorem: If V be a finite dimensional vector space and U and W are complements to each other in V, then dim V=dim U + dim W. Problem discussion. Quotient Space definition and properties of quotient space. Theorem: Let V be a vector space over a field F and W be a subspace of
Lecture 35 Lecture 36	Theorem: If V be a finite dimensional vector space and U and W are complements to each other in V, then dim V=dim U + dim W. Problem discussion. Quotient Space definition and properties of quotient space. Theorem: Let V be a vector space over a field F and W be a subspace of V. Then dim V=dim U + dim W.
Lecture 35	Theorem: If V be a finite dimensional vector space and U and W are complements to each other in V, then dim V=dim U + dim W. Problem discussion. Quotient Space definition and properties of quotient space. Theorem: Let V be a vector space over a field F and W be a subspace of V. Then dim V=dim U + dim W. Student's feedback. General discussion on miscellaneous problem

Unit- 4	Total Lectures =23
	CONTENTS
Linear transformation	s, null space, range, rank and nullity of a linear transformation, matrix
representation of a l	inear transformation, algebra of linear transformations, Isomorphisms,
Isomorphism theorems	s, invertibility and isomorphisms, change of coordinate matrix.
Lecture 29	Brief discussion on basis, dimension, finite dimensional vector spaces
Lecture 58	etc. Introduction to Linear transformations.
Lastura 20	Definition of linear transformation. Example of various type of linear
Lecture 59	transformation.
	Proof:
	1.Let F be a field and let V be the space of polynomial functions f from F
	into F, given by
	$f(x) = c_0 + c_1 x + \dots + c_k x^k$
	Let
Lecture 40	$Df(x) = c_1 + \dots + kc_k x^{k-1}$. Then D is a linear transformation from V
	into V.
	2. Let R be the field of real numbers and let V be the space of all
	functions from R into R which are continuous. Define T by
	$(Tf)(x) = \int_{0}^{x} f(t) dt$. Then T is linear transformation from V into V.
	More examples.
	Theorem on existence of unique linear transformation for two given
Lecture 41	vector space over a same field. Application of this theorem on different
	problems.
Lecture 42	Problem discussion.
L	Definition of kernel of a linear transformation, examples, few important
Lecture 43	theorems on kernel of a linear transformation.
Lecture 44	Problem discussion.
Lecture 15	<i>Null space</i> , <i>Range space</i> : Definition and examples; <i>Nullity</i> and <i>Rank</i> of a
Lecture 45	linear transformation.
Lecture 46	Problem Discussion.
	Proof :
Lecture 17	Let V and W be vector space over the field F and let T be a linear
Lecture 47	transformation from V into W. Suppose that V is finite-dimensional. Then
	rank (T) + nullity (T) =dim V. Application of this theorem.
Lecture 48	Problem discussion.
	Theorem: If A is an $m \times n$ matrix with entries in the field F, then
Lecture 49	Row rank (A) = Column rank (A) .
	Problem discussion.
	Algebra of Linear Transformation:
Lecture 50	Addition of two linear transformations, multiplication of linear
	transformations.
	Important properties and theorems.
Lecture 51	Problem discussion.
Lecture 52	Invertibility of linear transformation, non-singular linear transformation,
	theorem and properties.

Lecture 53	Problem discussion.
Lecture 54	Theorem: Let V and W be finite-dimensional vector space over the field F such that dim (V) =dim (W).If T is linear transformation from V into W, the following are equivalent: i. T is invertible ii. T is non-singular iii. T is onto.
Lecture 55	Isomorphism: Definition and examples. Theorem: Let <i>V</i> and <i>W</i> be finite-dimensional vector space over the field <i>F</i> .Now <i>V</i> and <i>W</i> will be isomorphic <i>iff</i> dim (V) =dim (W). Few more theorem and properties.
Lecture 56	Problem discussion.
Lecture 57	Theorem: Let V be an n dimensional vector space over the field F. Then V is isomorphic to F^n . More theorem and properties.
Lecture 58	Matrix representation of a linear transformation. Results and properties. Algorithm for finding matrix for a given linear transformation.
Lecture 59	Dealing with few interesting Problem.
Lecture 60	Student's feedback. General discussion on miscellaneous problem following the content of this unit 4.

Semester: IV Paper: BMH4SEC21 (Graph Theory) Total Lecture Hours = 40

Unit 1	Total Lectures =10
Lecture Serial	Topics of Discussion
Lecture 1	Some basic definitions like vertex, edges etc. with examples
Lecture 2	Some basic properties related to vertices and edges of graph and their examples
Lecture 3	Concept of Pseudo graph and examples
Lecture 4	Some problems on graph and pseudo graph
Lecture 5	The idea of complete graph and examples
Lecture 6	Some theorems, examples and problems of complete graph
Lecture 7	Connected and Bi-partite graphs : Definition and some examples and some
	theorems
Lecture 8	Some more theorems and problems on bi-partite graphs
Lecture 9	The concept of isomorphism between two graphs with examples
Lecture 10	Some more examples of isomorphic and non-isomorphic graphs
Unit 2 Total lectures =15	
Lecture Serial	Topics of Discussion
Lecture 11	Definitions of path, circuit, cycles, closed path and their examples
Lecture 12	The introduction of Konigsberg's bridge problem and the origin of graph
	theory

Lecture 13	Definition of Eulerian circuits and Eulerian graphs with examples
Lecture 14	Some theorems and problems on Eulerian graph and the conclusion of the
	Konigsberg's bridge problem.
Lecture 15	Semi-Eulerian graph and related theorems
Lecture 16	Some more problems on Eulerian and Semi-Eulerian graphs.
Lecture 17	Definition of Hamiltonian cycles and Hamiltonian graph with examples
Lecture 18	Some theorems and examples of Hamiltonian graph
Lecture 19	Some more theorems and problems on Hamiltonian graph
Lecture 20	The relation and comparing between Eulerian graph and Hamiltonian graph
	with examples
Lecture 21	The adjacence matrix with examples and some properties
Lecture 22	Some problems of finding adjacence matrix of a graph and making the diagram
	of a graph from it's adjacence matrix
Lecture 23	The incidence matrix of a graph with examples and some properties
Lecture 24	Some problems of finding incidence matrix of a graph and making the diagram
	of a graph from it's incidence matrix
Lecture 25	Concept of weighted graph with some examples
Unit 3	Total lectures =15
Lecture Serial	Topics of Discussion
Lecture Serial Lecture 26	Topics of Discussion Definitions and examples of Tree
Lecture Serial Lecture 26 Lecture 27	Topics of Discussion Definitions and examples of Tree Some more definitions, theorems on Tree
Lecture Serial Lecture 26 Lecture 27 Lecture 28	Topics of Discussion Definitions and examples of Tree Some more definitions, theorems on Tree Some results and problems on Tree
Lecture Serial Lecture 26 Lecture 27 Lecture 28 Lecture 29	Topics of DiscussionDefinitions and examples of TreeSome more definitions, theorems on TreeSome results and problems on TreeDefinition of spanning tree and examples
Lecture Serial Lecture 26 Lecture 27 Lecture 28 Lecture 29 Lecture 30	Topics of DiscussionDefinitions and examples of TreeSome more definitions, theorems on TreeSome results and problems on TreeDefinition of spanning tree and examplesSome theorems and examples of tree and spanning tree
Lecture Serial Lecture 26 Lecture 27 Lecture 28 Lecture 29 Lecture 30 Lecture 31	Topics of DiscussionDefinitions and examples of TreeSome more definitions, theorems on TreeSome results and problems on TreeDefinition of spanning tree and examplesSome theorems and examples of tree and spanning treeSome more theorems and problems on tree and spanning tree
Lecture Serial Lecture 26 Lecture 27 Lecture 28 Lecture 29 Lecture 30 Lecture 31 Lecture 32	Topics of DiscussionDefinitions and examples of TreeSome more definitions, theorems on TreeSome results and problems on TreeDefinition of spanning tree and examplesSome theorems and examples of tree and spanning treeSome more theorems and problems on tree and spanning treeThe definition of contracted graph with some examples
Lecture Serial Lecture 26 Lecture 27 Lecture 28 Lecture 29 Lecture 30 Lecture 31 Lecture 32 Lecture 33	Topics of DiscussionDefinitions and examples of TreeSome more definitions, theorems on TreeSome results and problems on TreeDefinition of spanning tree and examplesSome theorems and examples of tree and spanning treeSome more theorems and problems on tree and spanning treeThe definition of contracted graph with some examplesSome theorems and problems related to contracted graph
Lecture Serial Lecture 26 Lecture 27 Lecture 28 Lecture 29 Lecture 30 Lecture 31 Lecture 32 Lecture 33 Lecture 34	Topics of DiscussionDefinitions and examples of TreeSome more definitions, theorems on TreeSome results and problems on TreeDefinition of spanning tree and examplesSome theorems and examples of tree and spanning treeSome more theorems and problems on tree and spanning treeThe definition of contracted graph with some examplesSome theorems and problems related to contracted graphCayley's theorem
Lecture Serial Lecture 26 Lecture 27 Lecture 28 Lecture 29 Lecture 30 Lecture 31 Lecture 32 Lecture 33 Lecture 34 Lecture 35	Topics of DiscussionDefinitions and examples of TreeSome more definitions, theorems on TreeSome results and problems on TreeDefinition of spanning tree and examplesSome theorems and examples of tree and spanning treeSome more theorems and problems on tree and spanning treeThe definition of contracted graph with some examplesSome theorems and problems related to contracted graphCayley's theoremDefinitions of chord, fundamental cycle, o-chain, 1-chain, the boundary
Lecture Serial Lecture 26 Lecture 27 Lecture 28 Lecture 29 Lecture 30 Lecture 31 Lecture 32 Lecture 33 Lecture 34 Lecture 35	Topics of DiscussionDefinitions and examples of TreeSome more definitions, theorems on TreeSome results and problems on TreeDefinition of spanning tree and examplesSome theorems and examples of tree and spanning treeSome more theorems and problems on tree and spanning treeThe definition of contracted graph with some examplesSome theorems and problems related to contracted graphCayley's theoremDefinitions of chord, fundamental cycle, o-chain, 1-chain, the boundary operator , the co-boundary operator with examples
Lecture Serial Lecture 26 Lecture 27 Lecture 28 Lecture 29 Lecture 30 Lecture 31 Lecture 32 Lecture 33 Lecture 34 Lecture 35 Lecture 36	Topics of DiscussionDefinitions and examples of TreeSome more definitions, theorems on TreeSome results and problems on TreeDefinition of spanning tree and examplesSome theorems and examples of tree and spanning treeSome more theorems and problems on tree and spanning treeThe definition of contracted graph with some examplesSome theorems and problems related to contracted graphCayley's theoremDefinitions of chord, fundamental cycle, o-chain, 1-chain, the boundary operator , the co-boundary operator with examplesDefinitions of cycle vector, cycle rank, cut-set, cotree , cocycle with examples .
Lecture Serial Lecture 26 Lecture 27 Lecture 28 Lecture 29 Lecture 30 Lecture 31 Lecture 32 Lecture 33 Lecture 34 Lecture 35 Lecture 36 Lecture 37	Topics of DiscussionDefinitions and examples of TreeSome more definitions, theorems on TreeSome results and problems on TreeDefinition of spanning tree and examplesSome theorems and examples of tree and spanning treeSome more theorems and problems on tree and spanning treeThe definition of contracted graph with some examplesSome theorems and problems related to contracted graphCayley's theoremDefinitions of chord, fundamental cycle, o-chain, 1-chain, the boundary operator , the co-boundary operator with examplesDefinitions of cycle vector, cycle rank, cut-set, cotree , cocycle with examples .The concept of Travelling sale's man problem of shortest path
Lecture Serial Lecture 26 Lecture 27 Lecture 28 Lecture 29 Lecture 30 Lecture 31 Lecture 32 Lecture 33 Lecture 34 Lecture 35 Lecture 36 Lecture 37 Lecture 38	Topics of DiscussionDefinitions and examples of TreeSome more definitions, theorems on TreeSome results and problems on TreeDefinition of spanning tree and examplesSome theorems and examples of tree and spanning treeSome more theorems and problems on tree and spanning treeThe definition of contracted graph with some examplesSome theorems and problems related to contracted graphCayley's theoremDefinitions of chord, fundamental cycle, o-chain, 1-chain, the boundary operator , the co-boundary operator with examplesDefinitions of cycle vector, cycle rank, cut-set, cotree , cocycle with examples . The concept of Travelling sale's man problem of shortest pathDijkstra's algorithm and it's application to find shortest path
Lecture Serial Lecture 26 Lecture 27 Lecture 28 Lecture 29 Lecture 30 Lecture 31 Lecture 32 Lecture 33 Lecture 34 Lecture 35 Lecture 36 Lecture 37 Lecture 38 Lecture 39	Topics of DiscussionDefinitions and examples of TreeSome more definitions, theorems on TreeSome results and problems on TreeDefinition of spanning tree and examplesSome theorems and examples of tree and spanning treeSome more theorems and problems on tree and spanning treeThe definition of contracted graph with some examplesSome theorems and problems related to contracted graphCayley's theoremDefinitions of chord, fundamental cycle, o-chain, 1-chain, the boundary operator , the co-boundary operator with examplesDefinitions of cycle vector, cycle rank, cut-set, cotree , cocycle with examples . The concept of Travelling sale's man problem of shortest path Dijkstra's algorithm and it's application to find shortest pathSome more problems of finding shortest path
Lecture Serial Lecture 26 Lecture 27 Lecture 28 Lecture 29 Lecture 30 Lecture 31 Lecture 32 Lecture 33 Lecture 34 Lecture 35 Lecture 36 Lecture 37 Lecture 38 Lecture 39 Lecture 40	Topics of DiscussionDefinitions and examples of TreeSome more definitions, theorems on TreeSome results and problems on TreeDefinition of spanning tree and examplesSome theorems and examples of tree and spanning treeSome more theorems and problems on tree and spanning treeThe definition of contracted graph with some examplesSome theorems and problems related to contracted graphCayley's theoremDefinitions of chord, fundamental cycle, o-chain, 1-chain, the boundary operator , the co-boundary operator with examplesDefinitions of cycle vector, cycle rank, cut-set, cotree , cocycle with examples .The concept of Travelling sale's man problem of shortest pathDijkstra's algorithm and it's application to find shortest pathSome more problems of finding shortest pathWarshall algorithm for finding shortest path between all the pair of vertices in a

Semester: V

Paper: BMH5CC11 (Partial differential equations)

Total Lecture Hours = 60

Unit 1	Total Lectures =22
Lecture Serial	Topics of Discussion
Lecture 1	PDE: Basic concepts and definitions
Lecture 2	The compare among complete solution, general solution, particular solution
	and singular solution with examples
Lecture 3	Mathematical problems
Lecture 4	1 st order PDE: Classifications and geometric interpretation
Lecture 5	Constructions of PDE
Lecture 6	More problems on constructing PDE
Lecture 7	Order and degree of PDE
Lecture 8	Lagrange's method of solving 1 st order PDE
Lecture 9	Some problems by Lagrange's method
Lecture 10	Some more problems by Lagrange's method
Lecture 11	Method of Characteristics for obtaining General Solution of Quasi Linear
	Equations
Lecture 12	More problems by characteristic method
Lecture 13	Canonical Forms of First-order Linear Equations
Lecture 14	Some more problems on canonical forms
Lecture 15	Cauchy problems of 1 st order PDE
Lecture 16	More problems of Cauchy problem
Lecture 17	Method of Separation of Variables for solving first order partial differential
	equations
Lecture 18	Some problems by method of separation of variables
Lecture 19	More problems on method of separation of variables
Lecture 20	Charpit's method for solving 1 st order PDE
Lecture 21	Different particular forms of Charpit's method
Lecture 22	Some more problems on Charpit's method
Unit2	Total lectures =12
Lecture Serial	Topics of Discussion
Lecture 23	Derivation of Heat equation
Lecture 24	Derivation of wave equation
Lecture 25	Derivation of Laplace's equation
Lecture 26	Introduction of 2^{M} order PDE with examples
Lecture 27	Classification of second order linear equations as hyperbolic, parabolic, elliptic
Lecture 28	Reduction of second order hyperbolic Linear Equations to canonical forms.
Lecture 29	Reduction of second order parabolic Linear Equations to canonical forms.
Lecture 30	Reduction of second order elliptic Linear Equations to canonical forms.
Lecture 31	Some problems for finding nature and canonical form of 2 nd order linear
	equations
Lecture 32	Some problems for finding nature and canonical form of 2 nd order linear
	equations

Lecture 33	Some more problems for finding nature and canonical form of 2 nd order linear
	equations
Lecture 34	Some miscellaneous problems on 2 nd order PDE
Unit 3	Total lectures =17
Lecture Serial	Topics of Discussion
Lecture 35	The Cauchy problem of 2nd order partial differential equation
Lecture 36	Cauchy-Kowalewskaya theorem with examples
Lecture 37	Cauchy problem of an infinite string
Lecture 38	Some problems on infinite string
Lecture 39	Initial and Boundary Value Problems.
Lecture 40	Semi-Infinite String with a fixed end
Lecture 41	Some problems on semi-infinite string with a fixed end
Lecture 42	Semi-infinite String with a Free end.
Lecture 43	Some problmes on semi- infinite string with a free end
Lecture 44	Finite string problems
Lecture 45	Some more problems on string
Lecture 46	Equations with non-homogeneous boundary conditions of wave equation
Lecture 47	Non-Homogeneous Wave Equation.
Lecture 48	Method of separation of variables: Solving the Vibrating String problem
Lecture 49	More problems using method of separation of variables
Lecture 50	Solving the Heat Conduction problem
Lecture 51	More problems on Heat conduction equation
a	
Graphical Dem	onstration (Teaching Aid) Total lectures =09
Graphical Dem Lecture Serial	onstration (Teaching Aid) Total lectures =09 Topics of Discussion
Graphical Dem Lecture Serial Lecture 52	onstration (Teaching Aid) Total lectures =09 Topics of Discussion Solution of Cauchy problem for first order PDE.
Graphical Demo Lecture Serial Lecture 52 Lecture 53	onstration (Teaching Aid) Total lectures =09 Topics of Discussion Solution of Cauchy problem for first order PDE. More problems on solving Cauchy problems
Graphical Demo Lecture Serial Lecture 52 Lecture 53 Lecture 54	Image: Constration (Teaching Aid) Total lectures =09 Topics of Discussion Solution of Cauchy problem for first order PDE. More problems on solving Cauchy problems Finding the characteristics for the first order PDE.
Graphical Demo Lecture Serial Lecture 52 Lecture 53 Lecture 54 Lecture 55	Total lectures =09 Total lectures =09 Topics of Discussion Solution of Cauchy problem for first order PDE. More problems on solving Cauchy problems Finding the characteristics for the first order PDE. Plotting the integral surfaces of a given first order PDE with initial data.
Graphical Demo Lecture Serial Lecture 52 Lecture 53 Lecture 54 Lecture 55 Lecture 56	Total lectures =09 Topics of Discussion Solution of Cauchy problem for first order PDE. More problems on solving Cauchy problems Finding the characteristics for the first order PDE. Plotting the integral surfaces of a given first order PDE with initial data. More problems on plotting the integral surface
Graphical Demo Lecture Serial Lecture 52 Lecture 53 Lecture 54 Lecture 55 Lecture 56 Lecture 57	Total lectures =09Topics of DiscussionSolution of Cauchy problem for first order PDE.More problems on solving Cauchy problemsFinding the characteristics for the first order PDE.Plotting the integral surfaces of a given first order PDE with initial data.More problems on plotting the integral surface $\partial^2 u \partial^2 u 0$
Graphical Demo Lecture Serial Lecture 52 Lecture 53 Lecture 54 Lecture 55 Lecture 56 Lecture 57	Total lectures =09Total lectures =09Total lectures =09Total lectures =09Solution of Cauchy problem for first order PDE.More problems on solving Cauchy problemsFinding the characteristics for the first order PDE.Plotting the integral surfaces of a given first order PDE with initial data.More problems on plotting the integral surface $\frac{\partial^2 u}{\partial t^2} - \frac{\partial^2 u}{\partial x^2} = 0$ Solution of wave equation
Graphical Demo Lecture Serial Lecture 52 Lecture 53 Lecture 54 Lecture 55 Lecture 56 Lecture 57	Total lectures =09Total lectures =09Topics of DiscussionSolution of Cauchy problem for first order PDE.More problems on solving Cauchy problemsFinding the characteristics for the first order PDE.Plotting the integral surfaces of a given first order PDE with initial data.More problems on plotting the integral surfaceSolution of wave equation $\frac{\partial^2 u}{\partial t^2} - \frac{\partial^2 u}{\partial x^2} = 0$ for the following associated $u(x, 0) = \phi(x)$ $u(x, 0) = w(x)$ $x \in R$ $t \ge 0$
Graphical Dem Lecture Serial Lecture 52 Lecture 53 Lecture 54 Lecture 55 Lecture 56 Lecture 57	Total lectures =09Topics of DiscussionSolution of Cauchy problem for first order PDE.More problems on solving Cauchy problemsFinding the characteristics for the first order PDE.Plotting the integral surfaces of a given first order PDE with initial data.More problems on plotting the integral surfaceSolution of wave equation $\frac{\partial^2 u}{\partial t^2} - \frac{\partial^2 u}{\partial x^2} = 0$ for the following associatedconditions: $u(x,0) = \phi(x), u_x(x,0) = \psi(x), x \in R, t > 0$
Graphical Demo Lecture Serial Lecture 52 Lecture 53 Lecture 54 Lecture 55 Lecture 56 Lecture 57 Lecture 58	Total lectures =09Total lectures =09Total lectures =09Total lectures =09Solution of Cauchy problem for first order PDE.More problems on solving Cauchy problemsFinding the characteristics for the first order PDE.Plotting the integral surfaces of a given first order PDE with initial data.More problems on plotting the integral surfaceSolution of wave equation $\frac{\partial^2 u}{\partial t^2} - \frac{\partial^2 u}{\partial x^2} = 0$ for the following associatedconditions: $u(x,0) = \phi(x), u_x(x,0) = \psi(x), x \in R, t > 0$ $\partial^2 u \partial^2 u = 0$
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Graphical Dem Lecture Serial Lecture 52 Lecture 53 Lecture 54 Lecture 55 Lecture 56 Lecture 57 Lecture 58	Total lectures =09Total lectures =09Total lectures =09Total lectures =09Solution of Cauchy problem for first order PDE.More problems on solving Cauchy problemsFinding the characteristics for the first order PDE.Plotting the integral surfaces of a given first order PDE with initial data.More problems on plotting the integral surfaceSolution of wave equation $\frac{\partial^2 u}{\partial t^2} - \frac{\partial^2 u}{\partial x^2} = 0$ for the following associated conditions: $u(x,0) = \phi(x)$, $u_x(x,0) = \psi(x), x \in R$, $t > 0$ Solution of wave equation $\frac{\partial^2 u}{\partial t^2} - \frac{\partial^2 u}{\partial x^2} = 0$ for the following associated $conditions: u(x,0) = \phi(x)$, $u_x(x,0) = \psi(x)$, $u(0,t) = 0, x \in (0,\infty)$ $t > 0$ $\partial^2 u = e^2 \frac{\partial^2 u}{\partial x^2} = 0$
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Semester : V Paper :BMH5CC12 (Mechanics I) Total Lectures = 60

Unit 1 (Analytical Statics)Total Lectures =20	
Lecture Serial	Topics of Discussion
Lecture 1	Co-planar forces, Reduction of a system of Co-planar forces
Lecture 2	Conditions equilibrium of a system of Co-planar forces
Lecture 3	Astatic equilibrium, Astatic centre, Examples
Lecture 4	Vector treatment of 2D system, Problems
Lecture 5	Problems and solution about Co-planar forces
Lecture 6	Friction, Laws of Friction, Angle of Friction, Cone of Friction,
	Examples
Lecture 7	Coefficient of Friction, Problems
Lecture 8	Equilibrium of a particle on a rough curve, Problems
Lecture 9	Principle of Virtual work, Virtual work a single particle
Lecture 10	The condition of equilibrium of a particle under coplanar forces from
	the principle of Virtual work
Lecture 11	The principle of Virtual work for a free rigid body, Application of the
	principle of Virtual work
Lecture 12	Problems on the principle of Virtual work
Lecture 13	Forces in three dimensions, Moment of a force about a line, Problems
Lecture 14	Equation of central axis of a given system of forces, Problems
Lecture 15	General conditions of equilibrium
Lecture 16	Stable and unstable equilibrium, The energy test of stability
Lecture 17	A perfectly rough heavy body rests in equilibrium on a fixed body,
	whether the equilibrium is Stable or unstable, Problems
Lecture 18	Centre of gravity(CG) of some elementary bodies, Problems
Lecture 19	CG of continuous distribution of matter, CG of any arc of a plane curve,
	Problems
Lecture 20	Equilibrium of flexible string, Problems
Unit 2 (Dynamic	s of a particle) Total lectures =25
Lecture Serial	Topics of Discussion
Lecture 21	Fundamental concept in particle dynamics
Lecture 22	Simple harmonic motion, Problems
Lecture 23	Damped Harmonic motion
Lecture 24	Force Oscillation, Damped and forced oscillation, Problems
Lecture 25	Radial and cross radial components of velocity and
	acceleration,Problems
Lecture 26	Motion in 2D, Examples
Lecture 27	Equations of motion referred to a set of rotating axes
Lecture 28	Projectile motion, Problems
Lecture 29	Motion of a projectile in a resisting medium, Problems
Lecture 30	Central Orbit, Differential equation of Central Orbit,

Lecture 31	Differential Equation of Central orbit in Pedal form, Significant of 'h',
	Angular momentum,
Lecture 32	Apse, Apsidal distance, Apsidal angle, Problems
Lecture 33	Some problem and solution on Central Orbit
Lecture 34	Stability of nearly circular orbits
Lecture 34	Motion under the inverse square law, Problems
Lecture 35	Kepler's laws of planetary motion, Modification of Kepler's 3 rd law
Lecture 36	Verification of Kepler's Laws from Newton's Gravitational law,
	Verification of Newton's Gravitational law from Kepler's Laws,
	Planet has only radial acceleration towards the sun, Time of describing,
	Problems
Lecture 37	Slightly disturbed orbits
Lecture 38	Motion of artificial satellites
Lecture 39	Tangent and normal Velocity and acceleration, Examples
Lecture 40	Tangent and normal equation of motion of particles, Examples
Lecture 42	Motion Varying mass
Lecture 43	Motion of a particle in three dimensions.
Lecture 44	Motion on a smooth sphere, cone of revolution
Lecture 45	Motion on a smooth any surface of revolution, Problems
Unit 3 (Rigid Dy	vnamics) Total lectures =15
Lecture Serial	Topics of Discussion
Lecture beriar	
Lecture 46	Moment of Inertia(MI), MI of a system of particle, Rigid body, MI of aa
Lecture 46	Moment of Inertia(MI), MI of a system of particle, Rigid body, MI of aa rigid body, MI and Product of Inertia(PI) about rectangular axes
Lecture 46	Moment of Inertia(MI), MI of a system of particle, Rigid body, MI of aa rigid body, MI and Product of Inertia(PI) about rectangular axes MI of rod, rectangular plate, circular plate, Circular were, Right circular
Lecture 46	Moment of Inertia(MI), MI of a system of particle, Rigid body, MI of aa rigid body, MI and Product of Inertia(PI) about rectangular axes MI of rod, rectangular plate, circular plate, Circular were, Right circular cylinder, cone
Lecture 46 Lecture 47 Lecture 48	Moment of Inertia(MI), MI of a system of particle, Rigid body, MI of aa rigid body, MI and Product of Inertia(PI) about rectangular axes MI of rod, rectangular plate, circular plate, Circular were, Right circular cylinder, cone Some problem related to MI and PI
Lecture 46 Lecture 47 Lecture 48 Lecture 49	Moment of Inertia(MI), MI of a system of particle, Rigid body, MI of aa rigid body, MI and Product of Inertia(PI) about rectangular axes MI of rod, rectangular plate, circular plate, Circular were, Right circular cylinder, cone Some problem related to MI and PI Theorem of parallel axes
Lecture 46 Lecture 47 Lecture 48 Lecture 49 Lecture 50	Moment of Inertia(MI), MI of a system of particle, Rigid body, MI of aa rigid body, MI and Product of Inertia(PI) about rectangular axes MI of rod, rectangular plate, circular plate, Circular were, Right circular cylinder, cone Some problem related to MI and PI Theorem of parallel axes Inertial Matrix, Momental Ellipsoid
Lecture 46 Lecture 47 Lecture 48 Lecture 49 Lecture 50 Lecture 51	Moment of Inertia(MI), MI of a system of particle, Rigid body, MI of aa rigid body, MI and Product of Inertia(PI) about rectangular axes MI of rod, rectangular plate, circular plate, Circular were, Right circular cylinder, cone Some problem related to MI and PI Theorem of parallel axes Inertial Matrix, Momental Ellipsoid Momental Ellipsoid of an elliptic plate, solide ellipsoid
Lecture 46 Lecture 47 Lecture 48 Lecture 49 Lecture 50 Lecture 51 Lecture 52	Moment of Inertia(MI), MI of a system of particle, Rigid body, MI of aa rigid body, MI and Product of Inertia(PI) about rectangular axes MI of rod, rectangular plate, circular plate, Circular were, Right circular cylinder, cone Some problem related to MI and PI Theorem of parallel axes Inertial Matrix, Momental Ellipsoid Momental Ellipsoid of an elliptic plate, solide ellipsoid Some other problem related to Momental Ellipsoid
Lecture 46 Lecture 47 Lecture 48 Lecture 49 Lecture 50 Lecture 51 Lecture 52 Lecture 53	Moment of Inertia(MI), MI of a system of particle, Rigid body, MI of aa rigid body, MI and Product of Inertia(PI) about rectangular axes MI of rod, rectangular plate, circular plate, Circular were, Right circular cylinder, cone Some problem related to MI and PI Theorem of parallel axes Inertial Matrix, Momental Ellipsoid Momental Ellipsoid of an elliptic plate, solide ellipsoid Some other problem related to Momental Ellipsoid Principal axes, Principal Moment
Lecture 46 Lecture 47 Lecture 47 Lecture 48 Lecture 49 Lecture 50 Lecture 51 Lecture 52 Lecture 53 Lecture 54	Moment of Inertia(MI), MI of a system of particle, Rigid body, MI of aa rigid body, MI and Product of Inertia(PI) about rectangular axes MI of rod, rectangular plate, circular plate, Circular were, Right circular cylinder, cone Some problem related to MI and PI Theorem of parallel axes Inertial Matrix, Momental Ellipsoid Momental Ellipsoid of an elliptic plate, solide ellipsoid Some other problem related to Momental Ellipsoid Principal axes, Principal Moment Some problem on principal axes
Lecture 46 Lecture 47 Lecture 47 Lecture 48 Lecture 49 Lecture 50 Lecture 51 Lecture 52 Lecture 53 Lecture 54 Lecture 55	Moment of Inertia(MI), MI of a system of particle, Rigid body, MI of aa rigid body, MI and Product of Inertia(PI) about rectangular axes MI of rod, rectangular plate, circular plate, Circular were, Right circular cylinder, cone Some problem related to MI and PI Theorem of parallel axes Inertial Matrix, Momental Ellipsoid Momental Ellipsoid of an elliptic plate, solide ellipsoid Some other problem related to Momental Ellipsoid Principal axes, Principal Moment Some problem on principal axes D'Alembert's Principle, Problems
Lecture 46 Lecture 47 Lecture 48 Lecture 49 Lecture 50 Lecture 51 Lecture 52 Lecture 53 Lecture 54 Lecture 55 Lecture 56	Moment of Inertia(MI), MI of a system of particle, Rigid body, MI of aa rigid body, MI and Product of Inertia(PI) about rectangular axes MI of rod, rectangular plate, circular plate, Circular were, Right circular cylinder, cone Some problem related to MI and PI Theorem of parallel axes Inertial Matrix, Momental Ellipsoid Momental Ellipsoid of an elliptic plate, solide ellipsoid Some other problem related to Momental Ellipsoid Principal axes, Principal Moment Some problem on principal axes D'Alembert's Principle, Problems Motion about a fixed axis, Compound pendulum
Lecture 46 Lecture 47 Lecture 47 Lecture 48 Lecture 49 Lecture 50 Lecture 51 Lecture 52 Lecture 53 Lecture 54 Lecture 55 Lecture 56 Lecture 57	 Moment of Inertia(MI), MI of a system of particle, Rigid body, MI of aa rigid body, MI and Product of Inertia(PI) about rectangular axes MI of rod, rectangular plate, circular plate, Circular were, Right circular cylinder, cone Some problem related to MI and PI Theorem of parallel axes Inertial Matrix, Momental Ellipsoid Momental Ellipsoid of an elliptic plate, solide ellipsoid Some other problem related to Momental Ellipsoid Principal axes, Principal Moment Some problem on principal axes D'Alembert's Principle, Problems Motion about a fixed axis, Compound pendulum Centre of mass of a system of particles, Equation of motion of a system
Lecture 46 Lecture 47 Lecture 47 Lecture 48 Lecture 49 Lecture 50 Lecture 51 Lecture 52 Lecture 53 Lecture 54 Lecture 55 Lecture 56 Lecture 57	Moment of Inertia(MI), MI of a system of particle, Rigid body, MI of aa rigid body, MI and Product of Inertia(PI) about rectangular axes MI of rod, rectangular plate, circular plate, Circular were, Right circular cylinder, cone Some problem related to MI and PI Theorem of parallel axes Inertial Matrix, Momental Ellipsoid Momental Ellipsoid of an elliptic plate, solide ellipsoid Some other problem related to Momental Ellipsoid Principal axes, Principal Moment Some problem on principal axes D'Alembert's Principle, Problems Motion about a fixed axis, Compound pendulum Centre of mass of a system of particles, Equation of motion of a system of particles, K.E of a system of particles
Lecture 46 Lecture 47 Lecture 47 Lecture 48 Lecture 49 Lecture 50 Lecture 51 Lecture 52 Lecture 53 Lecture 54 Lecture 55 Lecture 56 Lecture 57 Lecture 58	Moment of Inertia(MI), MI of a system of particle, Rigid body, MI of aa rigid body, MI and Product of Inertia(PI) about rectangular axes MI of rod, rectangular plate, circular plate, Circular were, Right circular cylinder, cone Some problem related to MI and PI Theorem of parallel axes Inertial Matrix, Momental Ellipsoid Momental Ellipsoid of an elliptic plate, solide ellipsoid Some other problem related to Momental Ellipsoid Principal axes, Principal Moment Some problem on principal axes D'Alembert's Principle, Problems Motion about a fixed axis, Compound pendulum Centre of mass of a system of particles, Equation of motion of a system of particles, K.E of a system of particles Linear momentum, angular momentum of a system of particles,
Lecture 46 Lecture 47 Lecture 47 Lecture 49 Lecture 50 Lecture 51 Lecture 52 Lecture 53 Lecture 54 Lecture 55 Lecture 56 Lecture 57 Lecture 58	Moment of Inertia(MI), MI of a system of particle, Rigid body, MI of aa rigid body, MI and Product of Inertia(PI) about rectangular axesMI of rod, rectangular plate, circular plate, Circular were, Right circular cylinder, coneSome problem related to MI and PITheorem of parallel axesInertial Matrix, Momental EllipsoidMomental Ellipsoid of an elliptic plate, solide ellipsoidSome other problem related to Momental EllipsoidPrincipal axes, Principal MomentSome problem on principal axesD'Alembert's Principle, ProblemsMotion about a fixed axis, Compound pendulumCentre of mass of a system of particles, Equation of motion of a system of particles, K.E of a system of particlesLinear momentum, angular momentum of a system of particles, Principal of conservation of linear and angular momentum
Lecture 46 Lecture 47 Lecture 47 Lecture 48 Lecture 49 Lecture 50 Lecture 51 Lecture 52 Lecture 53 Lecture 54 Lecture 55 Lecture 56 Lecture 57 Lecture 58 Lecture 59	Moment of Inertia(MI), MI of a system of particle, Rigid body, MI of aa rigid body, MI and Product of Inertia(PI) about rectangular axes MI of rod, rectangular plate, circular plate, Circular were, Right circular cylinder, cone Some problem related to MI and PI Theorem of parallel axes Inertial Matrix, Momental Ellipsoid Momental Ellipsoid of an elliptic plate, solide ellipsoid Some other problem related to Momental Ellipsoid Principal axes, Principal Moment Some problem on principal axes D'Alembert's Principle, Problems Motion about a fixed axis, Compound pendulum Centre of mass of a system of particles, Equation of motion of a system of particles, K.E of a system of particles Linear momentum, angular momentum of a system of particles, Principal of conservation of linear and angular momentum Motion of a rigid body in two dimensions under finite and impulsive
Lecture 46 Lecture 47 Lecture 47 Lecture 48 Lecture 49 Lecture 50 Lecture 51 Lecture 52 Lecture 53 Lecture 54 Lecture 55 Lecture 56 Lecture 57 Lecture 58 Lecture 59	Moment of Inertia(MI), MI of a system of particle, Rigid body, MI of aa rigid body, MI and Product of Inertia(PI) about rectangular axes MI of rod, rectangular plate, circular plate, Circular were, Right circular cylinder, cone Some problem related to MI and PI Theorem of parallel axes Inertial Matrix, Momental Ellipsoid Momental Ellipsoid of an elliptic plate, solide ellipsoid Some other problem related to Momental Ellipsoid Principal axes, Principal Moment Some problem on principal axes D'Alembert's Principle, Problems Motion about a fixed axis, Compound pendulum Centre of mass of a system of particles, Equation of motion of a system of particles, K.E of a system of particles Linear momentum, angular momentum of a system of particles, Principal of conservation of linear and angular momentum Motion of a rigid body in two dimensions under finite and impulsive forces, K.E of a rigid body moving in 2D is $\frac{1}{2}Mv^2 + \frac{1}{2}MK^2\dot{v}^2$

Semester: V Paper: BMH5DSE11 (Linear Programming) Total Lectures = 60

Unit 1	Total Lectures =22
	CONTENTS
Introduction to	linear programming problem. Theory of simplex method, graphical
solution, convex	sets, optimality and unboundedness, the simplex algorithm, simplex
method in tableau	u format, introduction to artificial variables, two-phase method. Big-M
method and their	comparison.
Lecture Serial	Topics of Discussion
Lecture 1	Preliminary Discussions (Relating to Application)
Lecture 2	Problems of Linear Programming, Formulation of L.P.P
Lecture 3	Graphical method of solution of LPP, Nature of Solutions, Application
	to real world problems.
Lecture 4	Mathematical preliminaries: Basic concept of vector spaces. Subspaces,
	linear combination.
Lecture 5	Linear dependence and linear independence, basis, dimension and
	explanation with examples. Rank of matrices, Inverse of matrices and
	method of finding them.
Lecture 6	Definition and examples of BFS, Convex combination, convex set and
	few important results.
Lecture 7	Definition and examples of extreme point, convex hull, convex
	polyhedron. Standard form of LPP, examples.
Lecture 8	Theory of simplex method: Fundamental theorem of LPP, reduction of
	feasible solution to a BFS. Standard examples.
Lecture 9	Improving a BFS, Optimality condition and few important theorems and
	results.
Lecture 10	Unboundedness, Alternative optima and few important theorems and
	results.
Lecture 11	Discussion of Degeneracy in set of Solutions (Through Simplex
	Method).
Lecture 12	Discussing various problems on simplex method.
Lecture 13	The simplex algorithm: Procedural Techniques for finding BFS,
	Systematic rule for computation.
Lecture 14	Initial BFS, Simplex tableau.
Lecture 15	Computational procedure in simplex method.
Lecture 16	Introduction to artificial variables, Removal of artificial variables.
Lecture 17	Inconsistency and redundancy in LPP.
Lecture 18	Minimizing the number of artificial variables, examples.
Lecture 19	Introduction to two phase method: Discussion and examples.
Lecture 20	Solution of simultaneous linear equations or inequations.
Lecture 21	Big-M method: Discussion and examples.
Lecture 22	Comparison between various method for solving LPP.

Unit 2	Total Lectures =08
	CONTENTS
Duality, formula	tion of the dual problem, primal-dual relationships, economic
interpretation of th	ne dual, Dual Simplex method.
Lecture 23	Concept of duality, Mathematical formulation duals. Examples.
Lecture 24	Construction of duals, examples.
Lecture 25	Few theorems on duality, complementary slackness. Examples.
Lecture 26	Duality and Simplex method.
Lecture 27	Economic interpretation of duality and examples.
Lecture 28	Introduction to Dual Simplex method.
Lecture 29	Computational algorithm of Dual Simplex method, examples.
Lecture 30	Initial basic solution and examples.
Unit 3	Total Lectures =15
	CONTENTS
Transportation pro	oblem and its mathematical formulation, northwest-corner method, least
cost method and V	Vogel approximation method for determination of starting basic solution,
algorithm for solv	ving transportation problem, assignment problem and its mathematical
formulation, Hun	garian method for solving assignment problem, Travelling salesman
problem.	
Lecture 31	Introduction to TPP. Mathematical formulation.
Lecture 32	The transportation type problem in LP form. Special feature of TPP.
Lecture 33	Few theorems on no. of basic variables or existence of feasible solution
	of a TPP. Solution of TPP is never unbounded.
Lecture 34	Initial BFS: Northwest-corner method, examples and results.
Lecture 35	Least cost method, examples and results.
Lecture 36	Vogel approximation method, examples and results.
Lecture 37	Optimality test of the BFS. Examples.
Lecture 38	Computational procedure and examples
Lecture 39	Degeneracy in TPP. Results, theorems and examples.
Lecture 40	Variations in transportation problem, examples.
Lecture 41	Typical problems.
Lecture 42	Introduction to assignment problem. Mathematical formulation.
Lecture 43	Important theorems and application.
Lecture 44	Hungarian method for solving assignment problem.
Lecture 45	Travelling salesman problem.
Unit 4	Total Lectures =15
	CONTENTS
Game theory: Fo	rmulation of two person zero sum games, solving two person zero sum
games, games wi	th mixed strategies, graphical solution procedure, linear programming
solution of games.	
Lecture 46	Introduction to Game theory.
Lecture 47	Formulation of two person zero sum games, strategies.
Lecture 48	The maxmin and minmax criterion. Existence of saddle point.
	Examples.
Lecture 49	Game without saddle point. Further consideration of mixed strategies.

	Solution of 2 x 2 games (mixed strategies).
Lecture 50	Solution of rectangular game with mixed strategies. Examples
Lecture 51	Important theorems.
Lecture 52	Symmetric games. Concept of dominance. Examples.
Lecture 53	Theorems on dominance.
Lecture 54	General rule for dominance. Two-person, zero sum 2 x n or n x 2
	games.
Lecture 55	Graphical method of solution. Examples.
Lecture 56	Algebraic method of solution. Examples.
Lecture 57	Transformation of game problem to an LPP. Examples.
Lecture 58	Fundamental theorem. Solution of a game by simplex method.
Lecture 59	Summary of the method of solution. Examples.
Lecture 60	General discussion on whole content of this unit. Solution of Problems.

Semester : VI Paper :BMH5DSE21(Probability and Statistics) Total Lectures = 60

Unit 1 (Probabili	ity distributions, Expectation) Total Lectures =15
Lecture Serial	Topics of Discussion
Lecture 1	Random experiment, Trial, Event space, Event, Event point, Mutually
	exclusive events, Mutually exhaustive events, Classical definition of
	probability, Weakness of Classical definition of probability, Examples
Lecture 2	Frequency definition of probability, $0 \le P(A) \le 1$, for any event A
	I) $P(S) = 1, P(\emptyset) = 0, P(A \cup B) = P(A) + P(B) - P(A \cap B)$, for any events
	А, В.
	II) $P(\overline{A}) = 1 - P(A)$, for any event A.
	Conditional Probability, Random variable, Examples,
Lecture 3	Axiomatic definition of probability, Some Deductions, Independent events,
	Repeated independent trials, Bernoulli trials, Binomial law, Poisson
	approximation
Lecture 4	Cumulative distribution function (c.d.f.) or simply distribution function (d.f.),
	Some properties, Examples
Lecture 5	Discrete random variable, Probability mass function, Examples
Lecture 6	Discrete uniform distribution, Degenerate Distribution, Binomial
	Distribution, Bernoulli Distribution, some problems
Lecture 7	Negative Binomial Distribution, Poisson Distribution, Geometric
	Distribution, Problems
Lecture 8	Continuous Random Variables, Examples
	$P(X = a) = 0 \forall \ a \in \mathbb{R}. \ P(a < X \le b) = P(a \le X \le b) = P(a < X < b) = \int_{a}^{b} f(x) dx$
	where $f(x) = F'(x)$
Lecture 9	Probability density function(f(x)), Examples, $f(x) \ge 0 \forall x \in \mathbb{R}$.
	$F(x) = \int_{-\infty}^{x} f(t)dt \forall x \in \mathbb{R}. \int_{-\infty}^{\infty} f(x)dx = 1, P(x < X \le x + dx) = f(x)dx$

Lecture 10	Uniform or Rectangular Distribution, Normal Distribution, Gamma
T (11	Distribution, Problems
Lecture 11	Exponential Distribution, Beta Distribution of 1^{-1} kind, Beta Distribution of 2^{nd} kind, Cauchy Distribution, Problems
Lecture 12	Transformation of random variables, Examples
Lecture 13	Mathematical Expectations, Mean of some well-known distributions
Lecture 14	Moments, Central moment, Variance, Standard deviation, S.D. of Some well-
	known distributions
Lecture 15	Moment generating function, Characteristic function, M.g.f. and c.f. of, some
	important distributions, Skewness, Kurtosis, Median, QuantileMode
Unit 2 (Two Din	nensional Distribution) Total lectures =15
Lecture Serial	Topics of Discussion
Lecture 16	Joint cumulative distribution function,
	F(x, y) is monotonic non-decreasing in both variables x and y
	If $a < b$, $c < d$ then
	$P(a < X \le b, c < Y \le d) = F(b, d) + F(a, c) - F(a, d) - F(b, c)$, Examples
Lecture 17	F(x, y) is monotonic non-decreasing in both variables x and y.
	If $a < b, c < d$ then, $P(a < X \le b, c < Y \le d) = F(b, d) + F(a, c) - F(b, d) + F(a, c) + F(b, d) + F(a, c) + F(b, d) + F(a, c) + F(b, d) + F(b,$
	F(a, d) - F(b, c), Problems
Lecture 18	Marginal Distributions, Two random variables X and Y are independent iff
	their joint d.f. $F(x, y)$ can be written as the product of a function of x alone
	and a function of <i>y</i> alone.
	If X and Y are independent then
	$P(a < X \le b, c < Y \le d) = P(a < X \le b)P(c < Y \le d)$
Lecture 19	Joint probability density function, Continuous distribution, Some properties
	of continuous distribution
Lecture 20	The variables X and Y are independent iff $f(x, y) = f_X(x)f_Y(y)$, Uniform
	Distribution or Rectangular Distribution, Bivariate Normal Distribution
Lecture 21	Conditional Distributions, Transformation of two random variables
Lecture 22	Expectations of bivariate, If (X, Y) be a two-dimensional random variable
	such that $E(X)$ and $E(Y)$ exist. Then $E(X + Y) = E(X) + E(Y)$.
Lecture 23	If (X, Y) be a two-dimensional random variable such that $E(X)$ and $E(Y)$
	exist. If X and Y are independent then $E(XY) = E(X)E(Y)$, Examples
Lecture 24	Moments, Covariance, Correlation coefficient in bivariate
Lecture 25	1) $\operatorname{Cov}(aX + b, cY + d) = ac \operatorname{Cov}(X, Y)$ 1) $\operatorname{Cov}(aX + b, cY + d) = ac \operatorname{Cov}(X, Y)$
	II) $\rho(ax + b, cY + a) = \frac{1}{ a c }\rho(x, Y), \ a \neq 0, \ c \neq 0$
	III) $-1 \le \rho \le 1$
Lecture 26	Joint Moment generating function, Problems
Lecture 27	Characteristic function, The random variables $X_1, X_2,, X_n$ are mutually
	independent iff their joint characteristic function is given
1	by $\chi(t_1, t_2, \dots, t_n) = \chi_1(t_1)\chi_2(t_2)\cdots\chi_n(t_n)$, Some problems
Lecture 28	Cauchy-Schwarz Inequality, Some Problems
Lecture 29	Conditional Expectation (Discrete and Continuous cases), Examples

Lecture 30	Regression Curves, Regression Lines, Problems
Unit 3 (Converge	ence and limit theorems) Total lectures =10
Lecture Serial	Topics of Discussion
Lecture 31	Chebysheve's inequality
Lecture 32	Converge in probability, Asymptotically normal
Lecture 33	Chebysheve's Theorem
Lecture 34	Bernoulli's Theorem, Problems
Lecture 35	Statement and interpretation of (weak) law of large numbers and strong law of large numbers.
Lecture 36	Central Limit theorem for independent and identically distributed random variables with finite variance
Lecture 37	Markov Chains, Problems
Lecture 38	Infinite sequence of Markov trials
Lecture 39	Chapman-Kolmogorov equations, Problems
Lecture 40	Classification of states
Unit 4 (Statistics	s) Total lectures =20
Lecture Serial	Topics of Discussion
Lecture 41	Collection of Data, Frequency distribution table
Lecture 42	Cumulative Frequency curve, Histogram
Lecture 43	Masures of Central Tendency, Mean, Median, Mode, Examples
Lecture 44	Some Problem related to Mean, Median, Mode
Lecture 45	Measures of Dispersion, Range, Quartile Deviation, Absolute Mean
	Deviation, Standard Deviation, Problems
Lecture 46	Coefficient of Variation, Problems
Lecture 47	Moments, Skewness, kurtosis, Problems
Lecture 48	Sampling Distribution, Population, Random Sample, Some Problems
Lecture 49	If X_1, X_2, \dots, X_n be a random sample drawn from the population of X, then
	$E\left(\frac{n}{n-1}S^2\right) = E(s^2) = \sigma_X^2$
Lecture 50	Chi-square Distribution, Problems
Lecture 51	Some Properties of Chi-square Distribution
Lecture 52	Students t-distribution, Problems
Lecture 53	Theory of Estimation, Examples
Lecture 54	Point Estimation, Consistent Estimation, Unbiased Estimator, Minimum
	Variance Estimator, Efficient Estimator
Lecture 55	The sample mean X is an unbiased and consistent Estimator of population
Lesture FC	Inean.
Lecture 56	Sample variance is a consistent estimator of population variance, Problems
Lecture 57	Likelinood function, Maximum Likelihood Estimator, Problems
Lecture 58	Interval Estimation, Confident interval for mean of $N(\mu, \sigma^2)$ population
Lecture 59	Contident interval for SD of $N(\mu, \sigma^2)$ population, Problems
Lecture 60	Testing of hypothesis, Problems

Semester: VI

Paper: BMH6CC13 (Metric spaces & Complex analysis) Total Lecture Hours = 60

Unit 1	Total Lectures =05
Lecture Serial	Topics of Discussion
Lecture 1	Sequences in metric spaces, convergence of sequence in metric space and some theorems
Lecture 2	Cauchy sequence in a metric space with examples and some theorems
Lecture 3	Completeness of a metric space with examples
Lecture 4	Examples of incomplete metric spaces
Lecture 5	Cantor's theorem and some problems
Unit 2	Total lectures =25
Lecture Serial	Topics of Discussion
Lecture 6	Limit and continuity of a function in a metric space with examples
Lecture 7	Some theorems on limit and continuity in a metric space
Lecture 8	Sequential criterion of continuity of a function with examples
Lecture 9	Some problems related to previous topics
Lecture 10	Some more theorems on continuity
Lecture 11	Homeomorphism and homeomorphic spaces with examples
Lecture 12	Uniform continuity of a function with some examples and related theorems
Lecture 13	Connectedness in metric spaces: Definitions and some examples
Lecture 14	Some theorems on connectedness
Lecture 15	Connectedness in real line
Lecture 16	Some more theorems on connectedness
Lecture 17	ε –chanin and related theorems
Lecture 18	Some theorems related to continuity and connectedness
Lecture 19	Components in a metric space and related theorems
Lecture 20	Some problems on connectedness of metric spaces
Lecture 21	Compactness: cover and sub cover, open cover, compact metric space with some examples
Lecture 22	Some more examples of compact and non-compact spaces
Lecture 23	Finite intersection property and some theorems on compactness
Lecture 24	Heine-Borel theorem and some other theorems
Lecture 25	Total boundedness and some related theorems and examples defining relation between boundedness, total boundedness
Lecture 26	Sequential and B-W compactness and theorems defining mutual relation

	between total boundedness, completeness, sequential compactness, B-W
Lecture 27	Theorems on continuity and compactness and some problems
Lecture 28	Definitions: weak contraction, contraction mapping and Lipschitz condition with examples
Lecture 29	Fixed point of an operator and Banach's Fixed point theorem
Lecture 30	Some applications of Banach's fixed point theorem
Unit 3	Total lectures =07
Lecture Serial	Topics of Discussion
Lecture 31	Some Historical aspects of complex numbers
Lecture 32	Properties of complex numbers
Lecture 33	Limit of a complex function with some theorems and examples
Lecture 34	Continuity of a complex function with some theorems and examples
Lecture 35	Regions in the complex plane
Lecture 36	Differentiation of complex function with examples
Lecture 37	Cauchy-Riemann equation and sufficient condition for differentiability
Unit 4	Total lectures =13
Lecture Serial	Topics of Discussion
Lecture 38	Analytic functions with examples
Lecture 39	Some more examples of analytic functions: exponential function, Logarithmic
	function, trigonometric functions
Lecture 40	Definite integrals of complex function with some simple problems
Lecture 41	Contour and contour integrals with some examples
Lecture 42	Some more problems on contour integrals
Lecture 43	ML formula with examples
Lecture 44	Some more problems on previous topics
Lecture 45	Cauchy-Goursat theorem and it's consequences
Lecture 46	$\int \frac{1}{dz} = \begin{cases} 2\pi i, & n = 1 \end{cases}$
	The important result $\int_{\gamma}^{J} (z - z_0)^n$ [0, $n \neq 1$ and some problems
Lecture 47	Cauchy integral formula and it's applications
Lecture 48	The derivative formula and it's applications
Lecture 49	The higher derivative formula and it's applications
Lecture 50	Some miscellaneous problems
Unit 5	Total lectures =06
Lecture Serial	Topics of Discussion
Lecture 51	Cauchy' inequality and Liouville's theorem
Lecture 52	Fundamental theorem of algebra
Lecture 53	Maximum modulus theorem and it's applications
Lecture 54	Convergence of sequence and series of functions in complex space
Lecture 55	Taylor's series expansion of complex functions
Lecture 56	Some problems on Taylor's series expansion
Unit 6	Total lectures =04

Lecture Serial	Topics of Discussion
Lecture 57	Laurent series expansion of complex functions
Lecture 58	Some problems on Laurent series expansion
Lecture 59	Power series and radius of convergence of power series
Lecture 60	Convergence and uniform convergence of Power series, Cauchy Hadamard
	theorem and it's applications

Semester: VI

Paper: BMH6CC14 (Ring Theory and Linear Algebra II) Total Lectures = 60

Unit- 1(Rings and Field)Total Lectures =20CONTENTSPolynomial rings over commutative rings, division algorithm and consequences, principal ideal
domains, factorization of polynomials, reducibility tests, irreducibility tests, Eisenstein criterion,
and unique factorization in Z[x]. Divisibility in integral domains, irreducible, primes, unique
factorization domains, Euclidean domains.

Lecture Serial	Topics of Discussion
Lecture 01	Few preliminary definitions and examples on integral domain.
L acture 02	Definition and few properties of divisibility . Definition and examples of
Lecture 02	units and associates in an integral domain. Some theorems.
	Finding units in the integral domain $Z[i]$ and $Z[x]$. Multiplicative norm
Lecture 03	function on an integral domain. Definition and examples of greatest
Lecture 05	common divisor (gcd), least common multiple (lcm) and irreducible
	element on an integral domain.
	Introduction to UFD (Unique Factorization Domain). Definition and
	examples. Definition and examples of prime element in an integral
Lecture 04	domain.
	Theorem: In an integral domain, every prime element is an irreducible
	element
Lecture 05	Some more theorems on <i>UFD</i> .
Lecture 06	Discussion of some interesting problems on UFD.
Locture 07	A very short discussion on some interesting results of ideals and
Lecture 07	examples.
Lecture 08	Introduction to <i>PID</i> (Principal Ideal Domain). Definition and examples.
	Discussing $Z[x]$ is an integral domain but not <i>PID</i> .
Lecture 09	Discussing theorems and results on PID.
Lastura 10	Theorem : A <i>PID</i> is an <i>UFD</i> .
Lecture 10	Theorem : In a <i>PID</i> an irreducible element is a prime element.
Lecture 11	Discussion of some interesting problems on PID.
Looturo 12	Introduction to <i>Euclidean Domain</i> . Definition and examples.
Lecture 12	Discussing a field is a <i>Euclidean Domain</i> .
Lastura 12	Theorem: Every <i>Euclidean Domain</i> is a <i>PID</i> .
	Few more theorems and results.
Lecture 14	Euclidean algorithm and discussing various problems on Euclidean

	Domain.
Lecture 15	Basic discussion on commutative ring. Definition of Polynomial rings
	over commutative rings, few examples.
	Theorem : Let <i>R</i> be an integral domain. Then deg $(fg) = deg(f) + deg(g)$.
	Theorem : Let <i>R</i> be an integral domain.
Lecture 16	(a) Then $R[x]$ is an integral domain.
	(b) The units in $R[x]$ are precisely the constant polynomials that are also
	units in <i>R</i> .
Lecture 17	More theorem and problems on polynomial ring.
Lasterna 10	Division algorithm and consequences.
Lecture 18	Theorem : If F be a field, then $F[x]$ is a Euclidean domain.
Lesterne 10	Definition of reducible polynomial, irreducible polynomial and zero
Lecture 19	of a polynomial $f(x)$ in $F[x]$. Few theorems and examples.
Lecture 20	<i>Eisenstein criterion.</i> Discussion of some interesting problems.
Unit- 2	Total Lectures =20
	CONTENTS
Dual spaces, dual bas	is, double dual, transpose of a linear transformation and its matrix in the
dual basis, annihilator	s. Eigen spaces of a linear operator, diagonalizability, invariant subspaces
and Cayley-Hamilton	theorem, the minimal polynomial for a linear operator, canonical forms.
Lecture 21	Brief discussion on Linear transformations, Linear Operators.
Lecture 22	Linear functional, Dual space and Dual basis, few theorems.
Lecture 23	Few more important theorems on Dual basis and examples.
	Annihilators
T C C C	Theorem: Let V be a finite-dimensional vector space over a field F, and
Lecture 24	let W be a subspace of V. Then
	$\dim W + \dim W^0 = \dim V.$
Lecture 25	Problem discussion on linear functional, dual basis and annihilators.
Lecture 26	The double dual , theorems and problems.
Lecture 27	The transpose of a linear transformation, theorems and problems.
	Matrix representation of the transpose of a linear transformation in
Lecture 28	dual basis, examples.
Lecture 29	Polynomials Applied to Operators, algebra of polynomials.
	Eigen spaces of a linear operator: Definition and examples of Eigen
Lecture 30	values, eigen vectors, few important theorems.
	Multiplicity: Algebraic and Geometric multiplicity. Important theorems
Lecture 31	and results.
Lecture 32	Characteristic value of a linear operator. Theorems, Examples
Lecture 33	Diagonalizability Theorems and examples
Lecture 34	The minimal nolynomial for a linear operator. Theorems and examples
Lecture 35	Cayley-Hamilton theorem and its applications
Lecture 35	Invariant Subspaces Invariant Subspaces on Real Vector Spaces
	Theorems and examples
Lecture 37	Problem discussion on Diagonalizability Invariant Subspaces etc.
Lecture 38	Canonical forms
Lecture 20	Problems and solution
Lecture 39	

Lecture 40	Student's feedback. General discussion on miscellaneous problem
	following the content of this unit 3.
Unit- 3	Total Lectures =20
	CONTENTS
Inner product space	s and norms, Gram-Schmidt orthogonalisation process, orthogonal
complements, Bessel's	s inequality, the adjoint of a linear operator, Least Squares Approximation,
minimal solutions to systems of linear equations, Normal and self-adjoint operators, Orthogonal	
projections and Spectr	al theorem.
Lastura 11	Definition and examples of Real Inner Products, and Complex Inner
Lecture 41	Products. Standard inner product.
Lecture 42	Few deductions. Euclidean and Unitary space.
Lecture 43	Definition of Norm of a vector. Few Theorems. Schwarz's inequality.
Lastura 44	Unit vector, Triangular inequality, Pythagoras theorem and
Lecture 44	Parallelogram law.
Lastura 45	Definition and examples of orthogonal and orthonormal basis in a
Lecture 45	Euclidean space. Few theorems and properties.
Lecture 46	Gram-Schmidt orthogonalisation process and few related theorms.
Lecture 47	Application of Gram-Schmidt orthogonalisation process.
Lecture 48	Bessel's inequality, Parseval's theorem.
Lecture 49	Orthogonal complements of a subspace, few standard theorems.
Lecture 50	Dealing with various problems of inner product space.
Lecture 51	Linear Functionals and Adjoints, adjoint of a linear operator.
Lecture 52	Few Theorems and examples.
Lecture 53	Method of Least Squares Approximation with applications.
Lecture 54	On minimal solutions of systems of linear equations with applications.
Lecture 55	Orthogonal Projections and Minimization Problems.
Lecture 56	Normal and self-adjoint operators-I.
Lecture 57	Normal and self-adjoint operators-II.
Lecture 58	The Spectral Theorem with applications.
Lecture 59	Normal Operators on Real Inner-Product Spaces.
Locture 60	Student's feedback. General discussion on miscellaneous problem
Lecture ou	following the content of this unit 3.

Semester : VI Paper : BMH6DSE33 (Group Theory II) Total Lecture Hours = 60

Unit 1	Total Lectures =15
Lecture Serial	Topics of Discussion
Lecture 1	Automorphism and inner automorphism with some examples
Lecture 2	Some theorems on automorphism
Lecture 3	Automorphism groups of finite cyclic groups with examples
Lecture 4	Some theorems on previous topic
Lecture 5	Automorphism groups of infinite cyclic groups with examples
Lecture 6	Some theorems on previous topic
Lecture 7	Factor groups with examples
Lecture 8	Factor groups to automorphism groups and some theorems
Lecture 9	Applications of factor groups to automorphism groups
Lecture 10	Some problems related to previous topics
Lecture 11	Some more problems on automorphism
Lecture 12	Commutator subgroups with examples
Lecture 13	Some properties of commutator subgroup
Lecture 14	Some more theorems on commutator subgroup
Lecture 15	Some problems on commutator subgroup
Unit 2	Total lectures =10
Lecture Serial	Topics of Discussion
Lecture 16	External direct product of groups: Definition and examples
Lecture 17	Some theorems and concept of internal direct product
Lecture 18	Some theorems on direct product
Lecture 19	Some problems on direct product
Lecture 20	Some more problems on direct product
Lecture 21	The group of units modulo n as an external direct product
Lecture 22	Direct sum of subgroups, direct summand and some examples
Lecture 23	Some theorems on direct sum
Lecture 24	p-group and The fundamental theorem of finite Abelian groups
Lecture 25	Some problems on Finitely generated Abelian groups
Unit 3	Total lectures =15
Lecture Serial	Topics of Discussion
Lecture 26	Group action: Definition and examples
Lecture 27	Definitions: Orbit, Stabilizer, Centalizer, normalizer with examples
Lecture 28	Some theorems including orbit-stabilizer theorem
Lecture 29	Permutation representation associated with a given group action
Lecture 30	Some problems related to previous topics
Lecture 31	The Burnside theorem with some examples
Lecture 32	The theorem $S=a\in AG:Ga$ with examples
Lecture 33	The theorem $ S \equiv S0 \mod p$ and some applications
Lecture 34	The theorem G:HNH:Hmod p with some applications
Lecture 35	Cayley's theorem and extended Cayley's theorem

Lecture 36	Some examples on Group actions and problems
Lecture 37	Some more theorems and examples on Group actions and normalizer
Lecture 38	Some related problems
Lecture 39	Some related problems
Lecture 40	Some more related problems
Unit 4	Total lectures =20
Lecture Serial	Topics of Discussion
Lecture 41	Conjugacy relation and class equation
Lecture 42	Some examples of class equation
Lecture 43	Some theorems and examples
Lecture 44	Some theorems including Cauchy theorem
Lecture 45	Some more theorems and examples
Lecture 46	Some problems on Class equation
Lecture 47	Some more problems on class equation
Lecture 48	p-groups, Sylow's first theorem and Sylow p-subgroup with examples
Lecture 49	Sylow's second theorem and normality of unique Sylow p-subgroup with
	examples
Lecture 50	Sylow's third theorem with examples
Lecture 51	Some more theorems and results
Lecture 52	Some problems related to Sylow's theorems
Lecture 53	Some problems of determining normal sub groups applying Sylow's theorems
Lecture 54	Some more applications of Sylow's theorems
Lecture 55	Some more problems
Lecture 56	Simple group: Definition and examples
Lecture 57	The theorem : G is a simple group iff $G \cong \mathbb{Z}p$ and examples
Lecture 58	Some more theorems and problems
Lecture 59	Simplicity of An for $n \ge 5$ and other problems
Lecture 60	Non-simplicity tests by Sylow's theorems

Semester : VI

Paper :BMH6DSE43 (Mechanics-II)

Total Lectures = 60

Unit 1 (Newton's	S Laws of Motion, Galilean Transformation) Total Lectures=15
Lecture Serial	Topics of Discussion
Lecture 1	Introduction about Newton's Laws of Motion
Lecture 2	Inertia, Force, Measurement of force
Lecture 3	If (X, Y) be the component of forces acting in 2 dimension on a particles of
	unit mass, then the Newton's equation can be written $as \frac{d}{dx} \left[\frac{Y - X \frac{dy}{dx}}{\frac{d^2 y}{dx^2}} \right] - 2X = 0.$
Lecture 4	Conservative force field, Example
Lecture 5	Mechanics of a Particle, some problem
Lecture 6	Conservation of angular momentum
Lecture 7	Conservation of energy
Lecture 8	Equation of motion, Examples
Lecture 9	Introduction about Relativistic Mechanics
Lecture 10	Inertial frame of reference, Newtonian relativity
Lecture 11	Discuss about Galilean transformation
Lecture 12	Galilean invariance, Invariance of space, Invariance of Time interval,
	Invariance of Velocity, Invariance of acceleration
Lecture 13	Invariance of Newton's Law, Conservation law of linear momentum,
	Conservation law of Energy,
Lecture 14	Special Theory of Relativity, Length contraction, Time dilation
Lecture 15	Limitations of Newton's laws in solving problems
Unit 2 (Fluid)	Total lectures =25
Lecture Serial	Topics of Discussion
Lecture 16	Introduction about fluid, Stress Matrix, Compressible fluid, Homogeneous
	fluid, intensity offluid, line of force, Examples
Lecture 17	Pressure in a heavy homogeneous liquid
Lecture 18	Equilibrium of fluid in a given field of force, Pressure derivative in terms of force,
	Necessary condition for Equilibrium, Surface of qui-pressure, Problems
Lecture 19	Line of force are intercepted by the surface of equi-pressure at right angles, problems
Lecture 20	Differential equation of the equi-pressure and equi-density surfaces, Problems
Lecture 21	If a fluid be in equilibrium under conservative field of force
	(X, Y, Z) per unit mass then the surface of equi – pressue, surface of
	equi-density and surface of equi-potential coincide
Lecture 22	Some problem and solution using the pressure equation
Lecture 23	Thrust on Plane Surface, Examples
Lecture 24	Whole pressure
Lecture 25	Problem and solution related to Thrust on Plane Surface
Lecture 26	A vessel having a plane vertical sides, contains two liquids which do not mix,
	to fond the resultant thrust on one of the sides

Lecture 27	Discuss about Centre of Pressure(CP), Examples
Lecture 28	Position of the CP of a plane Lamina, Examples
Lecture 29	Depth of the CP of a plane area, Depth of the CP of a rectangle, triangle with
	a side(vertex) in the effective surface
Lecture 30	Some problems and solution related to CP
Lecture 31	Effect of additional depth
Lecture 32	CP of a triangular area, depths of whose vertices are given, Problem and
	solution
Lecture 33	CP of a circular area, depths of whose centre is given
Lecture 34	CP of a composite plane area, Examples
Lecture 34	Equilibrium of floating bodies, Examples
Lecture 35	Problem and solution about Equilibrium of floating bodies
Lecture 36	Discuss about Gas, Examples
Lecture 37	Relation between Pressure, Volume and temperature, Boyle's Law, Charle's
	Law
Lecture 38	Absolute zero, Ideal as equation/ equation of state, Isothermal and adiabatic
	changes in Gases
Lecture 39	Equilibrium of an isothermal atmosphere, Convective equilibrium
Lecture 40	Stress in continuum body, Stress quadric
Unit 3 (Constrai	ints, Lagrange's Equation) Total lectures =20
Lecture Serial	Topics of Discussion
Lecture 41	Introduction about Generalised Co-ordinates,
Lecture 42	Discuss about Constraints, Examples
Lecture 43	Holonomic Constraints, Examples
Lecture 44	The constraint $q_1\dot{q}_1 + q_2\dot{q}_2 + q_1\dot{q}_2 + q_2\dot{q}_1 = k$, $k = \text{constant}$, is holonomic.
Lecture 45	Non-Holonomic Constraints, Examples
Lecture 46	Scleronomic Constraints, Rheonomic Constraints, Bilateral Constraints,
	Unilateral Constraints
Lecture 47	Conservative Constraints, Examples; Dissipative Constraints, Examples
Lecture 48	Lagrange's equation of motion, Examples
Lecture 49	D'Alembert's Principle
Lecture 50	Lagrange equation of the form $\frac{d}{dx}\left(\frac{\partial L}{\partial q_j}\right) - \frac{\partial L}{\partial q_j} = 0$
Lecture 51	Lagrangian of a function, $L'(q, \dot{q}, t) = L(q, \dot{q}, t) + \frac{dF}{dx}$
Lecture 52	Velocity-dpendentPotentialand the Dissipation function
Lecture 53	Expression for total energy, Examples
Lecture 54	Potential energy, Examples
Lecture 55	Integrals of motion
Lecture 56	Kepler's problem,
Lecture 57	Gibbs-Appell's principle of least constraint
Lecture 58	Discuss about Work, Power, Energy
Lecture 59	Measurement Energy, The Principle of Energy
T (0	Work an every relation for constraint for an of shielding friction